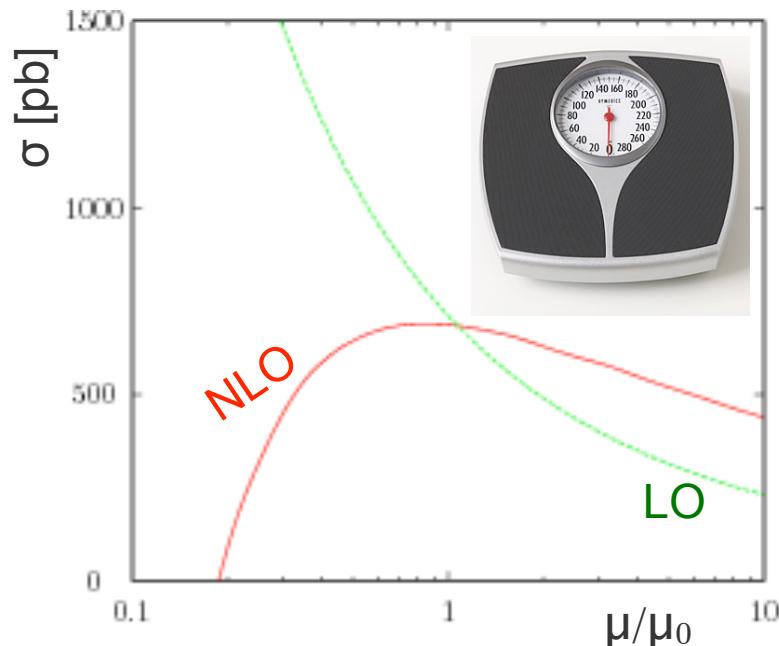


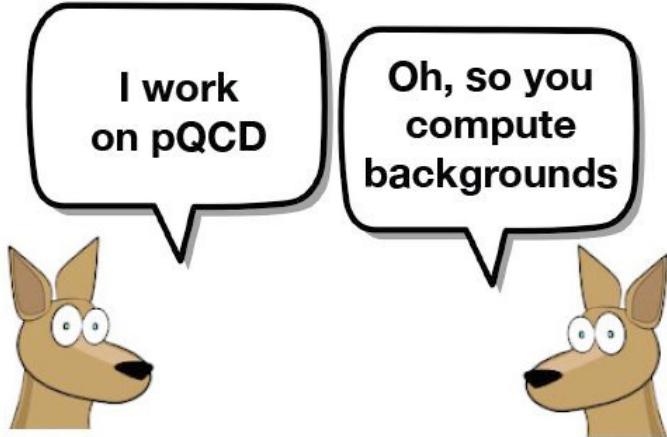
Scale choices for complex processes

Kalanand Mishra, *Fermilab*



Snowmass 2013: Energy Frontier
Workshop on QCD Physics,
FNAL, January 31, 2013

Outline



- Experimental results on QCD radiation in
 - $t\bar{t}+jj$, $t\bar{t}+bb$, $WW+jj$, $H+jj$,
- In the framework of fixed order ME +PS calculation
 - Effect of fact/renorm. scale, ME-PS matching threshold
 - $N_{\text{jets}}/N_{\text{partons}}$ and phase space dependence
- Will also discuss some issues related to signal acceptance
 - jet veto efficiency and systematics

Not a survey of results. Focus on few topics of interest.
The choice of topics has experimentalist's bias.

What I will **NOT** talk about !!!

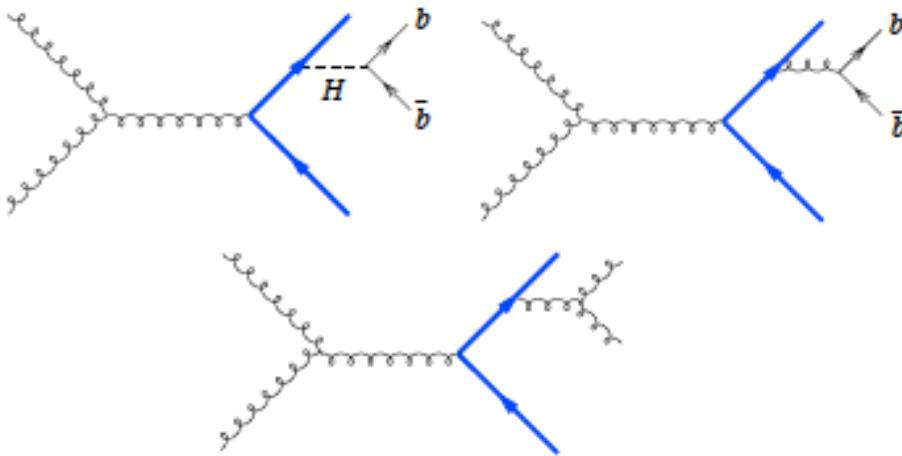
NLO
revolution



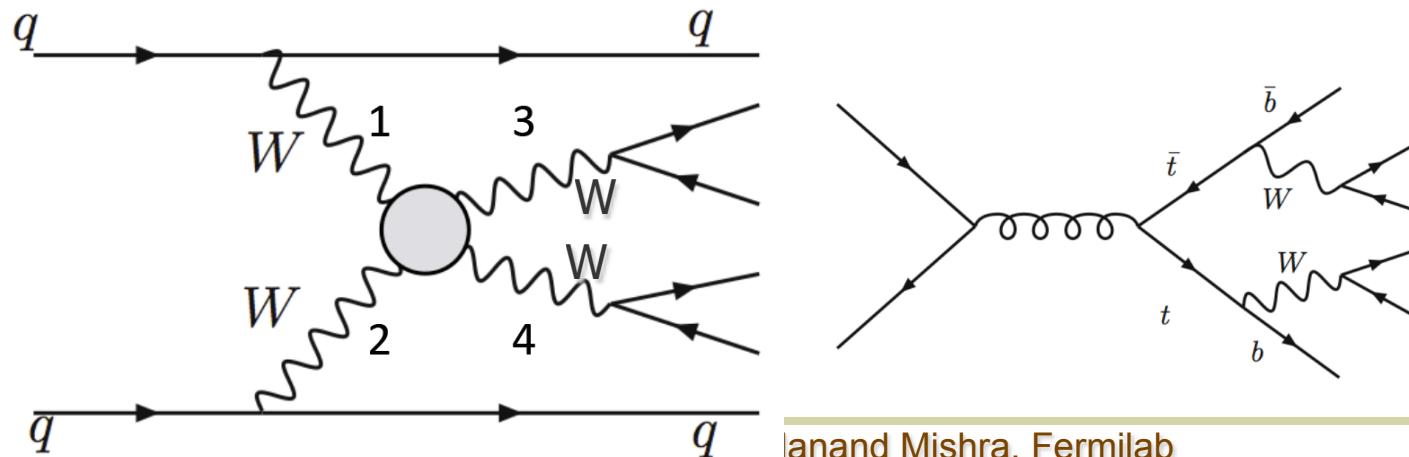
- Thanks to heroic efforts of many individuals, we have NLO+PS generators available to experimental community as of December 2012
 - [aMC@NLO](#)
 - [SherpaNLO](#)
- Have started generating and validating several processes of interest
 - [Multijet, W/Z/ \$\gamma\$ +jets, \$W\gamma/Z\gamma\$ + 0,1,2 jets](#)
 - [WW, WZ, ZZ + 0,1,2 jets](#)
 - [tt, ttW, ttZ, tbZ, ttH + 0,1,2 jets](#)
 - [WWW, WWZ, WZZ, H + 0,1,2 jets](#)
- Currently sorting out various wrinkles, expect data results starting in Fall 2013.

Starting with $t\bar{t}+j$ ets process

1. $t\bar{t}H$, WH ($H \rightarrow bb$)



2. $H(\rightarrow WW)+2jet$, VBF $H\rightarrow WW$, ...



- Background for Higgs signal in many decay modes
- Significant scale dependence for shape and normalization of background
- A priori choice of scale is not clear: ξm_t or ξH_T or $\xi \sqrt{(m_t^2 + \sum p_T^2)}$ or $\xi \sqrt{(m_t^2 + \sum m_{\text{eff}}^2)}$, or ...?

Quark and gluon radiation in $t\bar{t}$ events

- At LHC, the fraction of $t\bar{t}$ events produced with additional hard jets is high
 - Sizable uncertainty from QCD radiation in many analyses
 - Theory predictions and models need to be tuned and tested with measurements
- Large samples of $t\bar{t}$ events provide a great opportunity to study the details of the $t\bar{t}$ production mechanisms
- Potential of constraining QCD radiation at the scale of the top quark mass
 - Differential $t\bar{t}$ production cross section vs. $p_T(\text{top})$, $p_T(t\bar{t})$
 - Jet multiplicity in $t\bar{t}$ and associated jets
 - $t\bar{t}$ with veto on additional jets

Also see talk on this topic by Maria Aldaya in TOP LHC WG meeting:

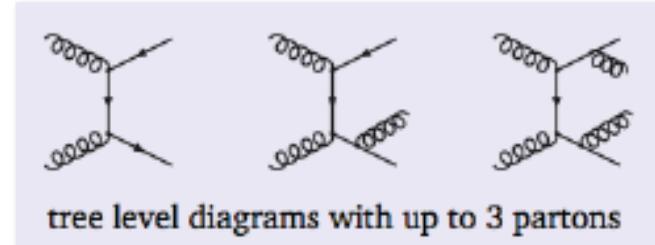
[https://indico.cern.ch/
conferenceDisplay.py?confId=217721](https://indico.cern.ch/conferenceDisplay.py?confId=217721)

An example of generator setup (CMS)

process	ME	PS	method	PDF	Tune
$t\bar{t}$ + jets	MadGraph v5.x	Pythia v6.42x	ME+PS	CTEQ6L1	Z2(*)
$t\bar{t}$	POWHEG-box 1.0	Pythia v6.42x	NLO	CTEQ6M	Z2(*)
$t\bar{t}$	MC@NLO v3.41	Herwig v6.520	NLO	CTEQ6M	

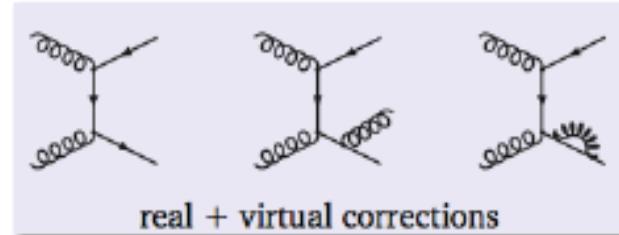
- Matrix Element + Parton Shower generators

- Better description of high multiplicities
- ISR/FSR modelling via ME from assumed Q^2 variation
- Matching procedure to remove double counting between partons produced by ME and PS



- Next to Leading Order generators

- More accurate in normalization
- Smaller uncertainty on Q^2

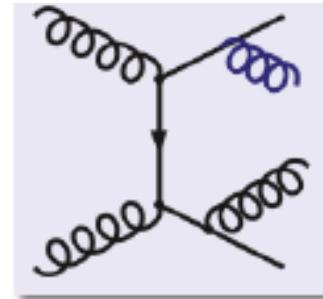


- MadGraph(+Pythia) is the default for most of the analyses

- Uncertainty on radiation covered by variations of Q^2 and ME-PS matching

Simulation of radiative corrections

- The ' Q^2 scale' variation addresses 2 aspects:
 - renormalisation and factorisation scale (ME)
 - amount of initial and final state radiation (ISR/FSR)



- For each event, Q^2 is defined as:

$$Q^2 = \cancel{m_t^2} + \sum \cancel{p_T^2} \text{ (MadGraph)}$$

$$Q^2 = \cancel{m_t^2} \text{ (POWHEG/MC@NLO)}$$

- Q^2 varied up (down) by a factor 4.0 (0.25)

- Parton showering:

- p_T -ordered evolution scale of ISR/FSR
- shares Q^2 factor α_S scale with ME
- implicitly: starting scale changes with ΔQ^2

- MadGraph uses:

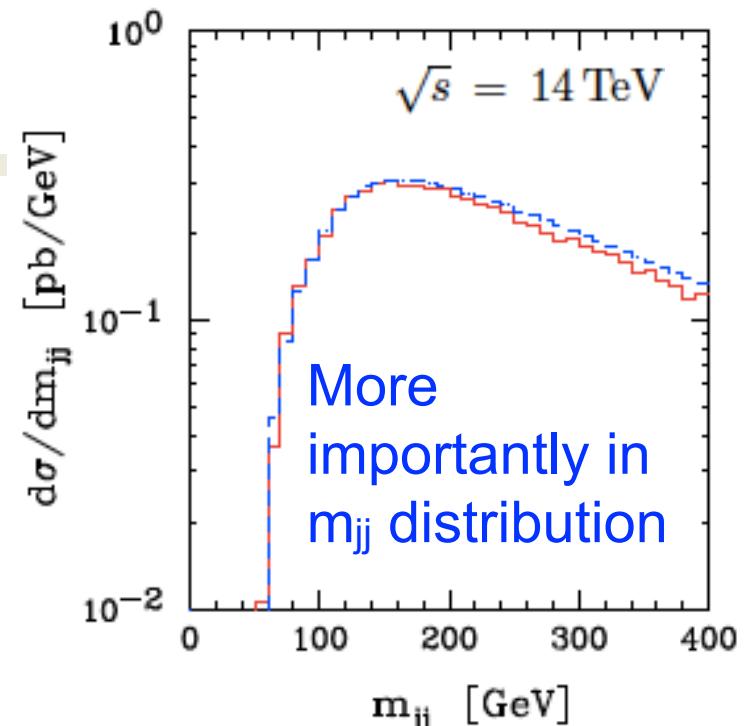
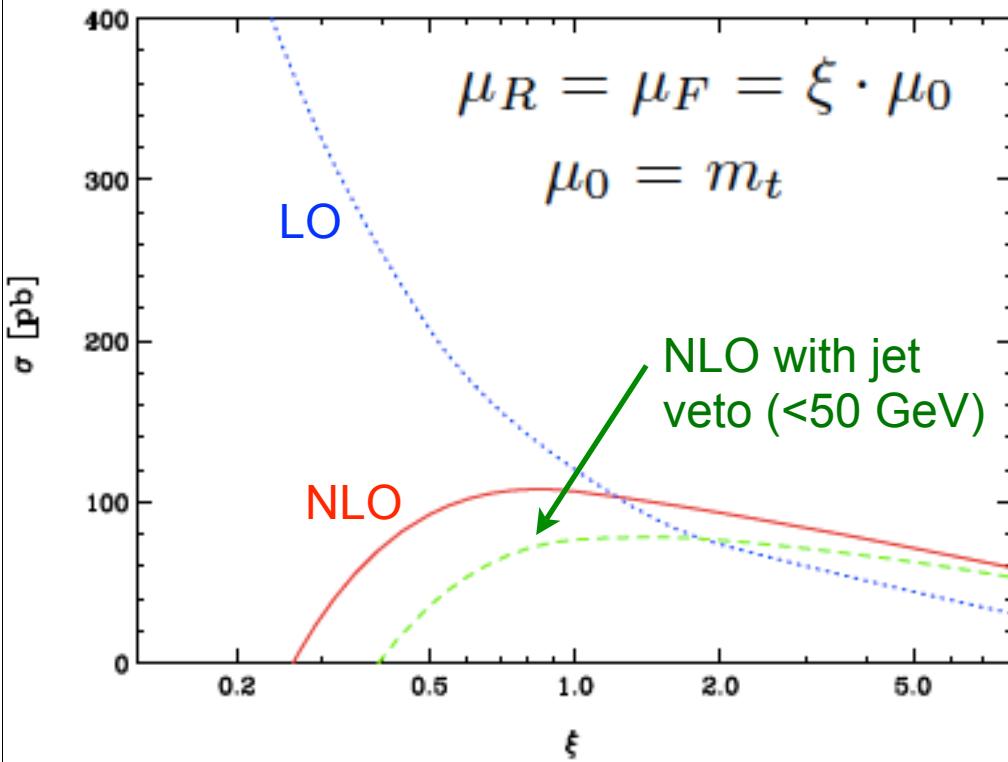
- tree-level diagrams for hard radiation and interferences (up to 3 final-state partons for ttbar)
- parton showering for soft and collinear region (with Pythia 6.42X)
- matching via ktMLM, thresholds varied by factor 0.5 to 2.0 (nominal = 20 GeV)

[$t\bar{t}+jj$: scale dependence]

arXiv:1002.4009, Bevilacqua et al

arXiv:0807.1223, Dittmaier et al

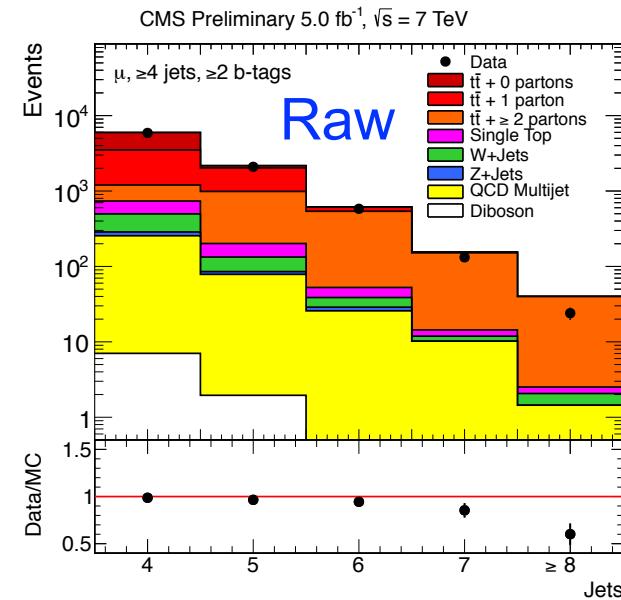
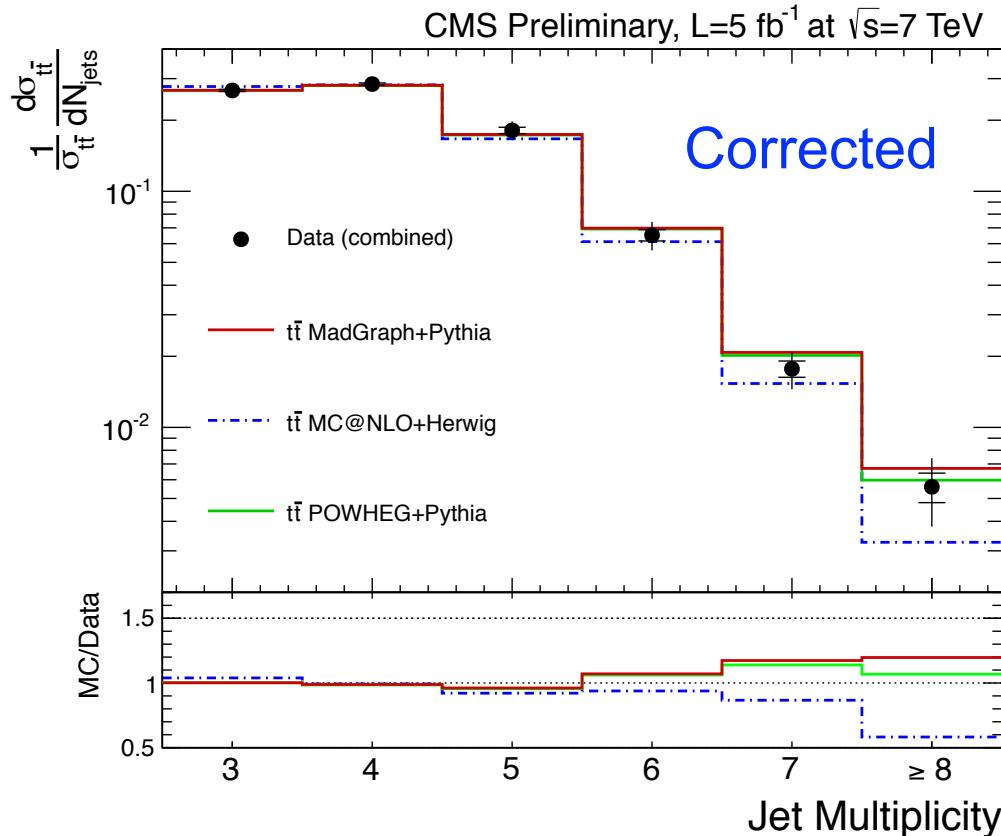
Large dependence for cross section



What the data are telling us: $t\bar{t}$ +jets xsec vs N_{jets}

TOP-12-018

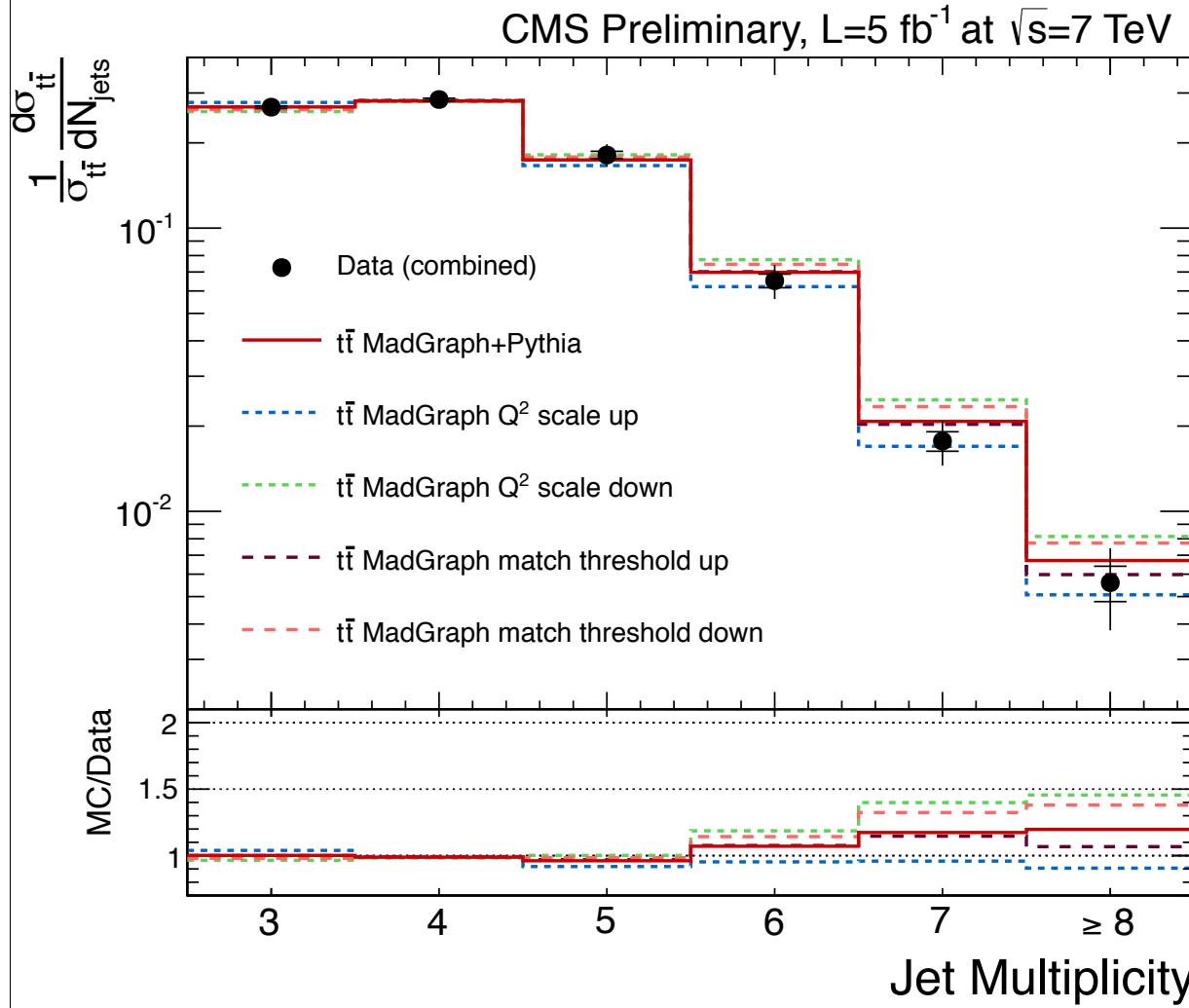
- Semi-leptonic channel: ≥ 3 jets, $p_T > 35$ GeV, $|\eta| < 2.4$, ≥ 2 b-tags
- Corrected to particle level, in visible phase space → jets: $p_T > 35$ GeV, $|\eta| < 2.4$



In general good agreement between data and predictions, MC@NLO+Herwig underestimates large N_{jets} .

Factorization/ renormalization scale

TOP-12-018



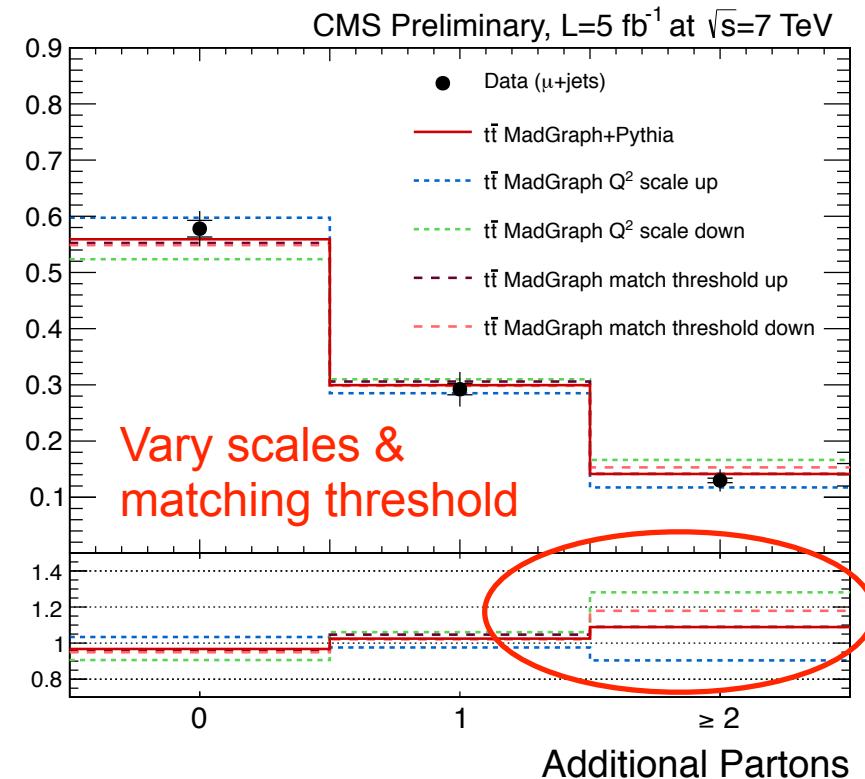
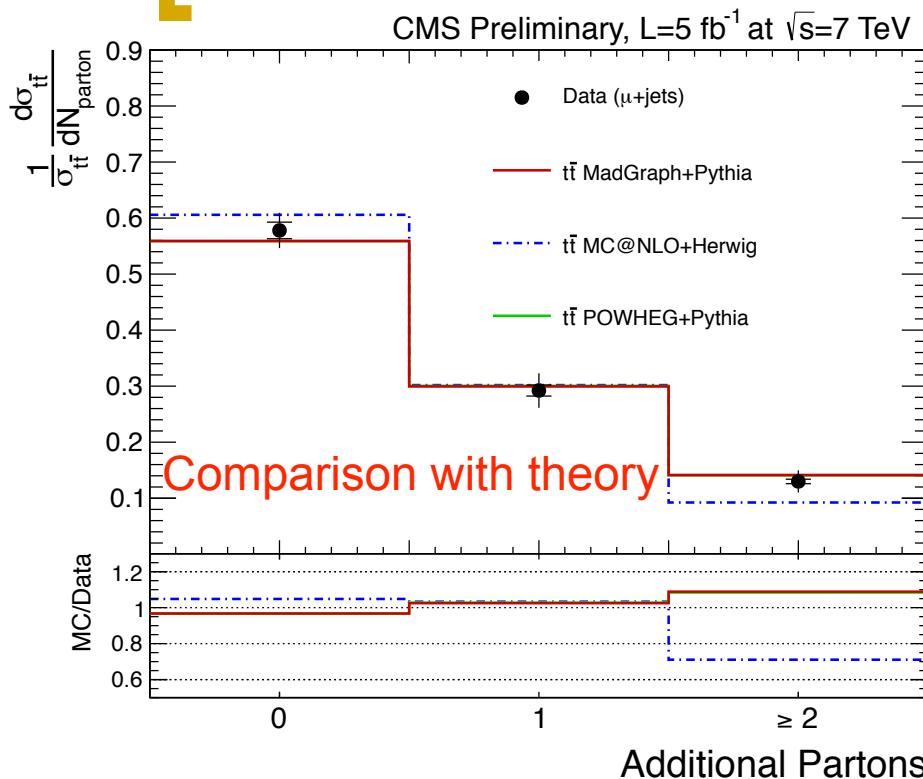
- Sensitive to modeling of radiation in MadGraph: data better described by larger scales.

- Matching and scale uncertainties **grow with additional jets in the event** → but can be **constrained using data now**.

Similar behavior seen in dilepton channel.

Vs. additional parton multiplicity

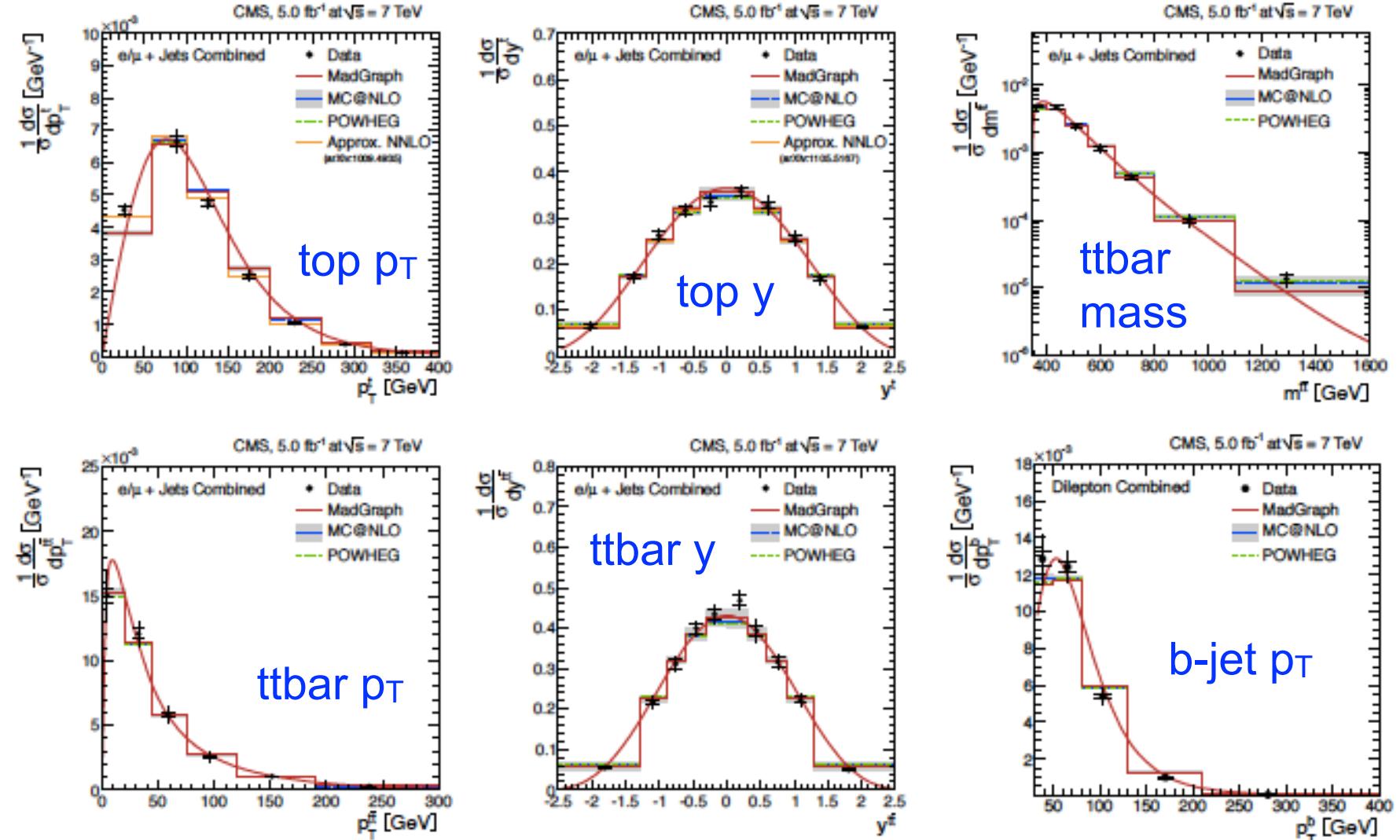
TOP-12-018



- Categorize $t\bar{t}$ MC events with $N(\text{genJets})$ NOT matching any top decay products in $\Delta R > 0.5 \rightarrow$ originating from additional partons
- Template fit for the 3 categories in data: 0, 1, 2+ additional partons
- Higher Q^2 tends to describe data better

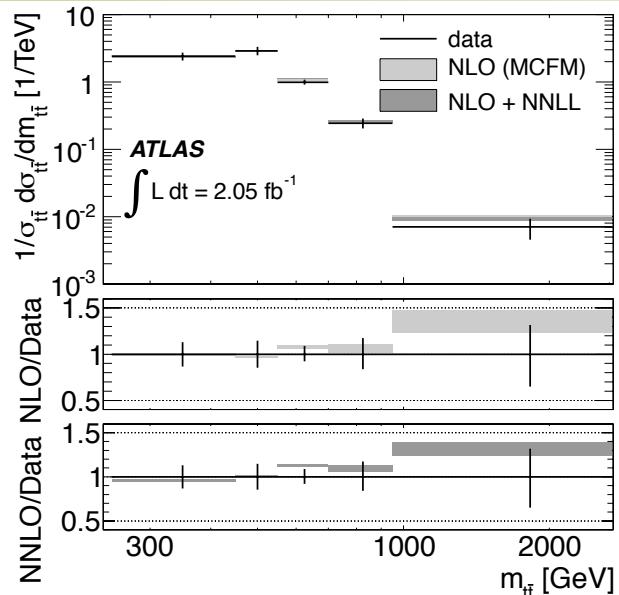
More differential distributions at particle level

TOP-12-018

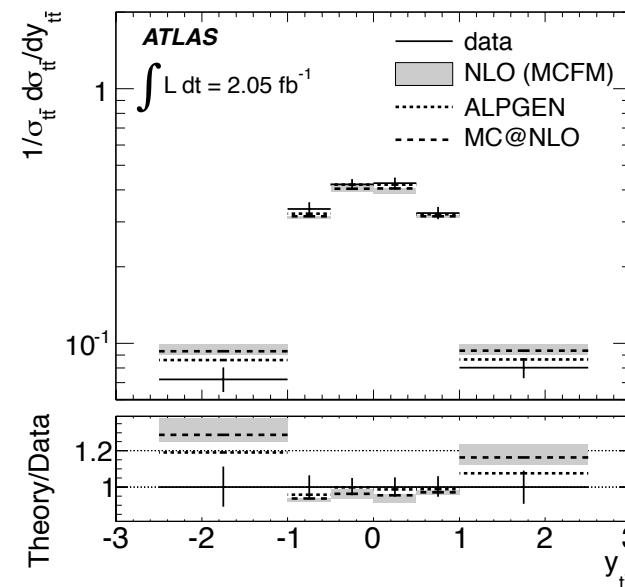
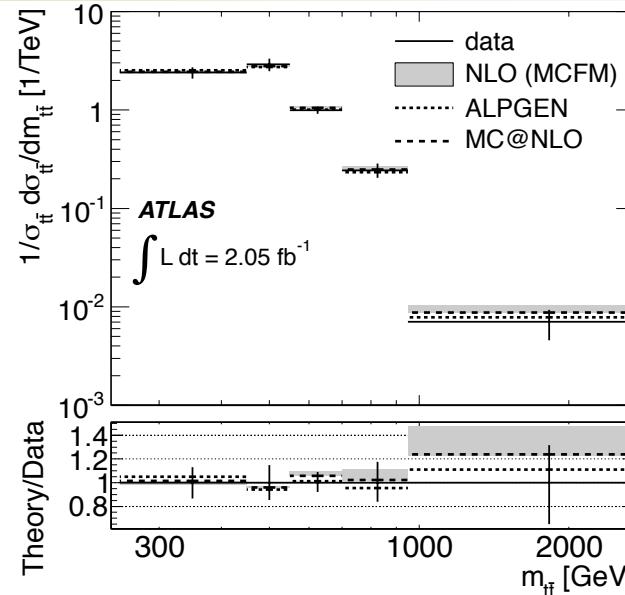
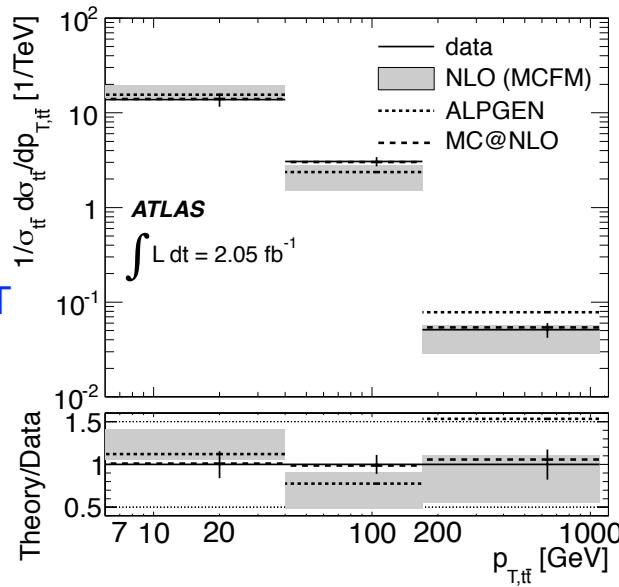


Comparisons at particle level: Alp, MC@NLO, MCFM

ttbar
mass



ttbar pT



arXiv:
1207.5644

ttbar
mass

ttbar
rapidity

Extra jet veto

- Quantify jet activity arising from quark and gluon radiation produced with the ttbar system with a jet veto:

$$f(p_T) = \frac{N(p_T)}{N_{total}}$$

$N(p_T)$: events which do not contain 1 (2) additional jet p_T above a certain threshold

Sensitive to the leading- (2nd leading-) p_T emission

$$f(H_T) = \frac{N(H_T)}{N_{total}}$$

$N(H_T)$: events in which the scalar p_T sum of all additional jets is below a certain threshold

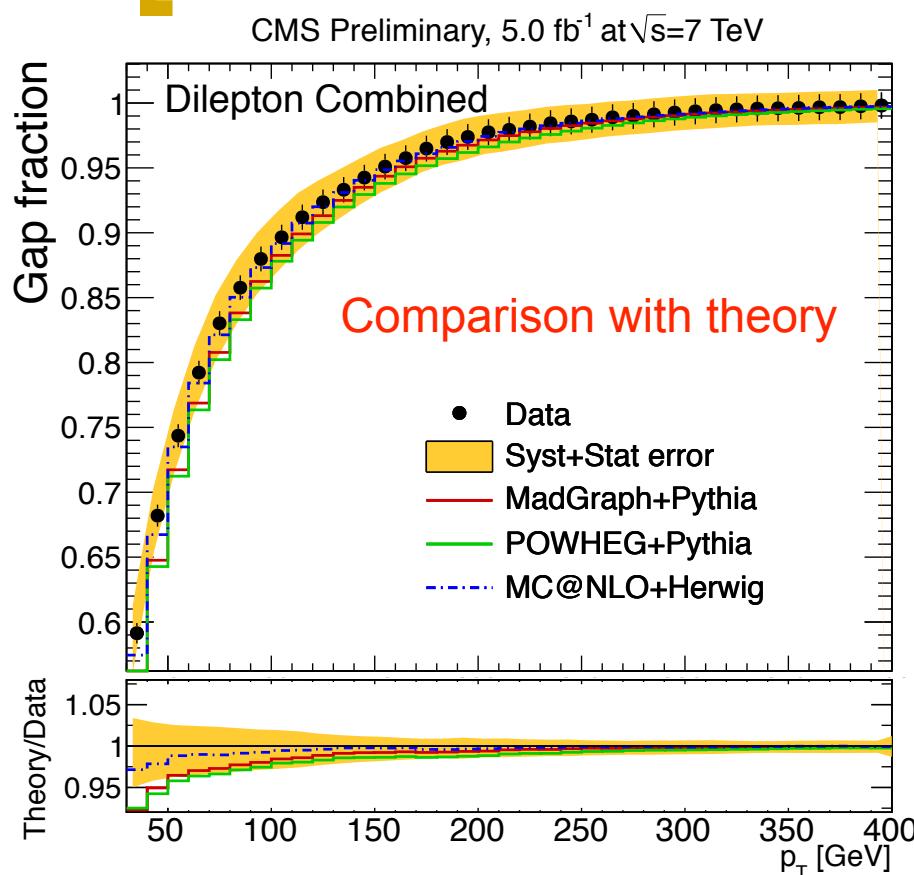
Sensitive to all hard emissions accompanying the ttbar system

N_{total} : total number of selected events

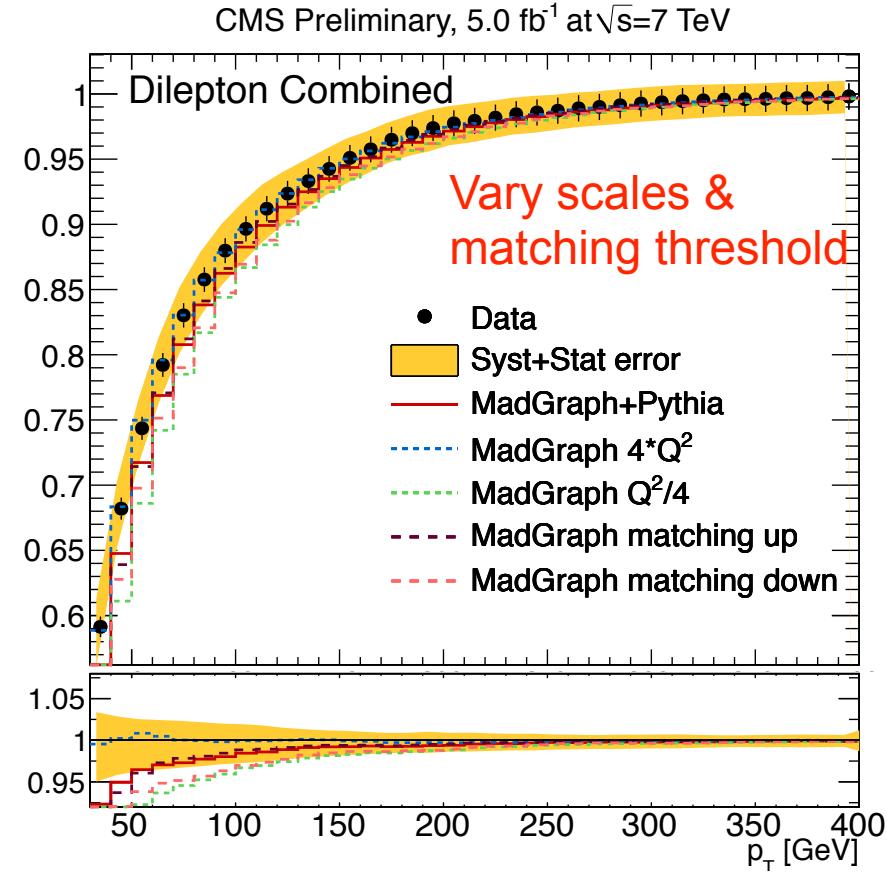
- Corrected back to particle level within visible phase space
- Corrected for detector effects using MadGraph
- Compare to: {
 - MadGraph+Pythia, MC@NLO+Herwig, POWHEG+Pythia
 - MadGraph with varied scales: Q^2 , matching

Jet veto efficiency vs additional jet p_T

TOP-12-023



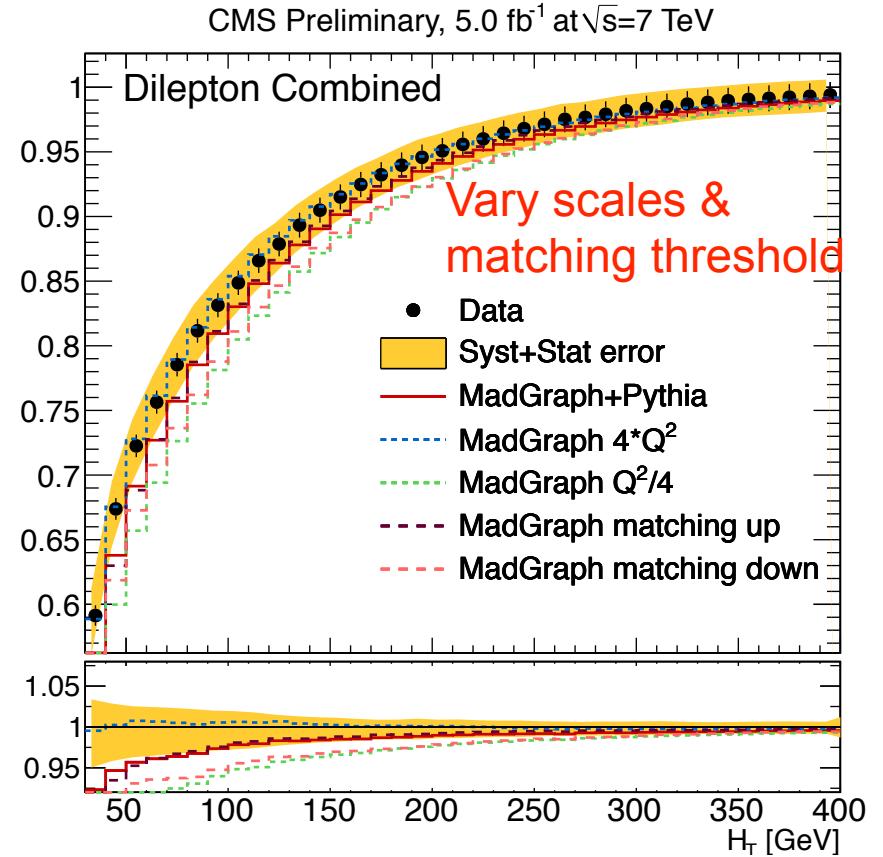
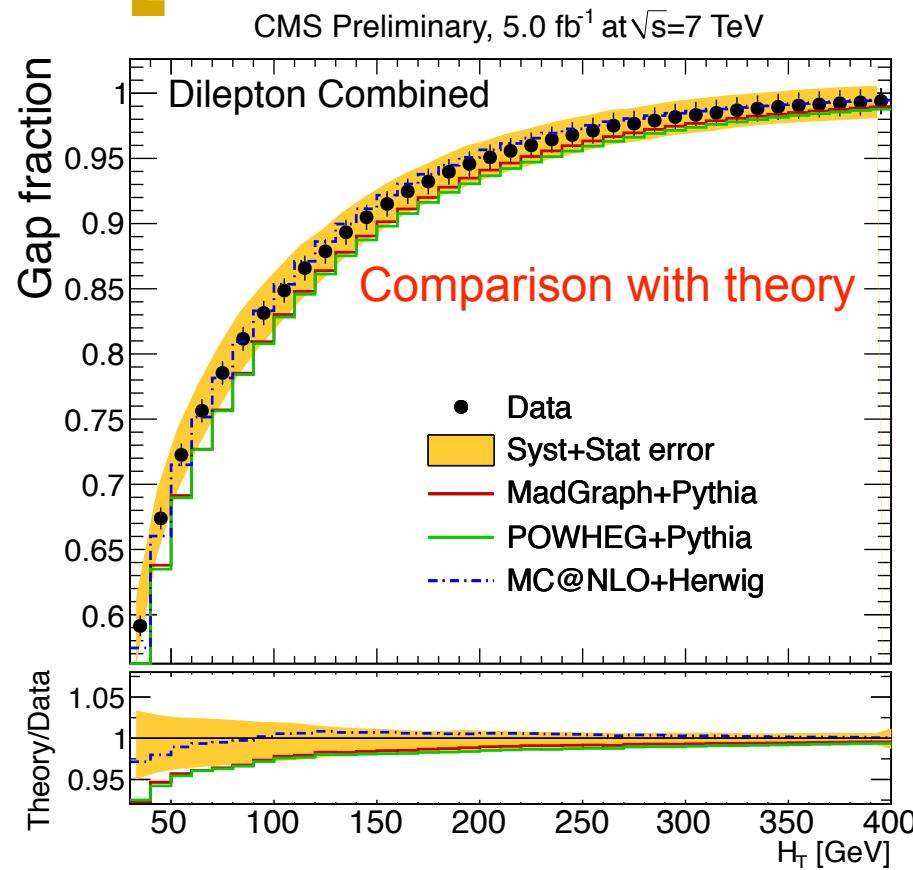
- MC@NLO+Herwig provides better description of data for 1st additional jet (shown here) but overestimates for 2nd extra jet



- Higher Q^2 describes data better
- Experimental precision better than spread from Q^2 variation → data can provide constraints

Jet veto efficiency vs H_T

TOP-12-023 arXiv:1203.5015

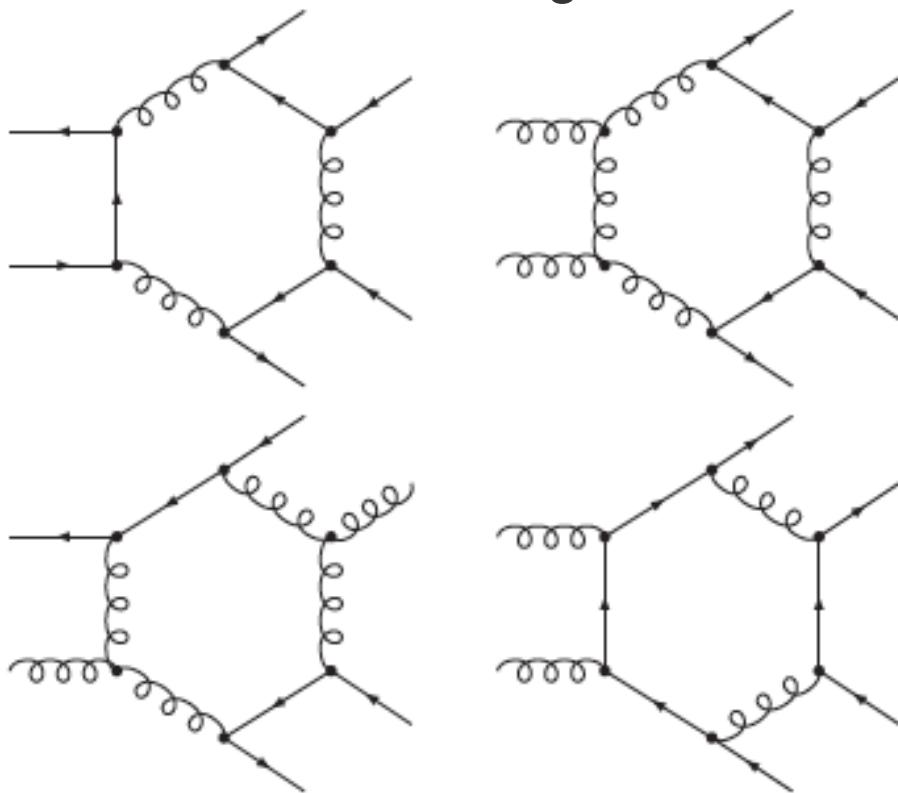


- Same conclusions as on previous slide
- With suitable choice of Q^2 , Madgraph+Pythia describes data well

Curious case of $t\bar{t}+b\bar{b}$

arXiv:0905.0110, Bredenstein et al

Some NLO diagrams

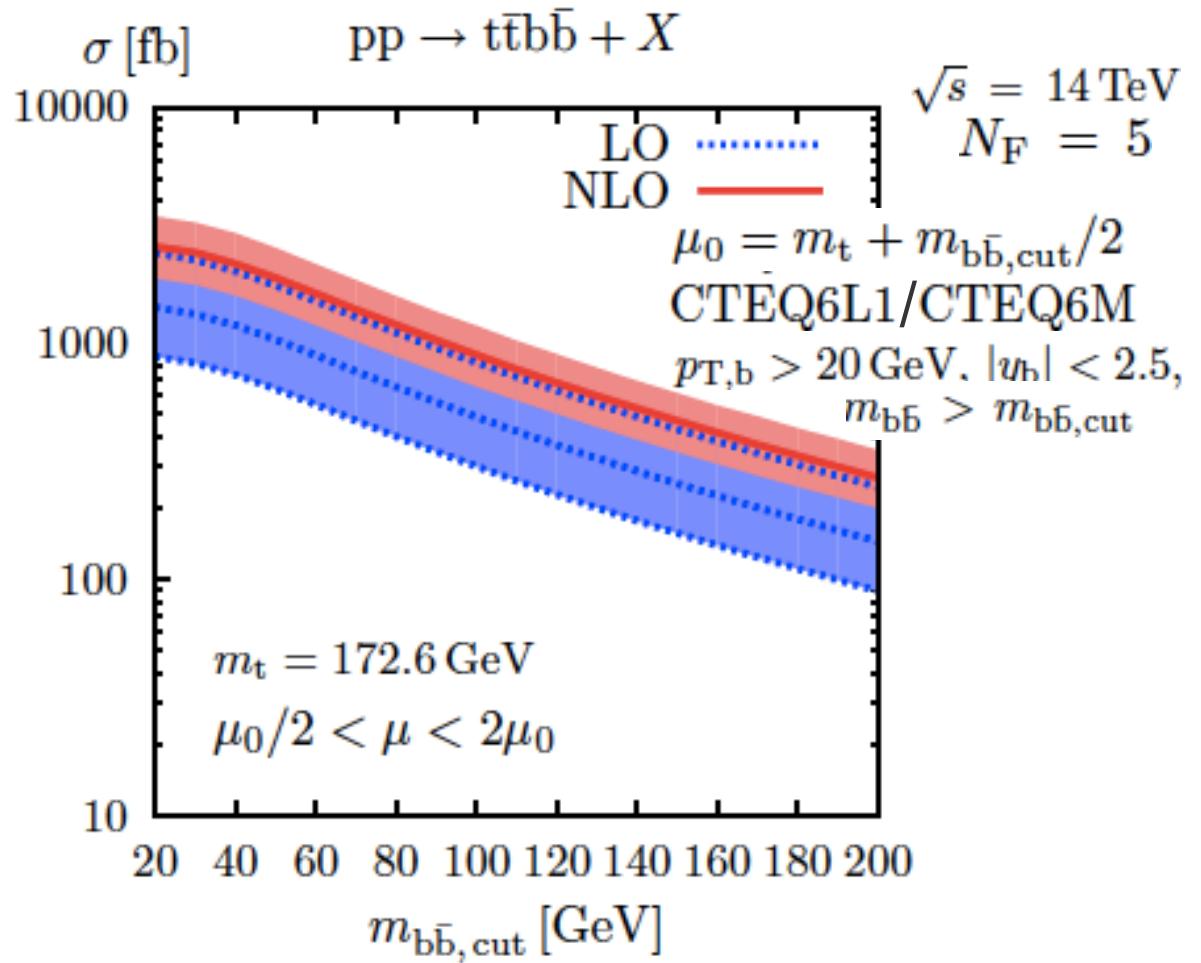
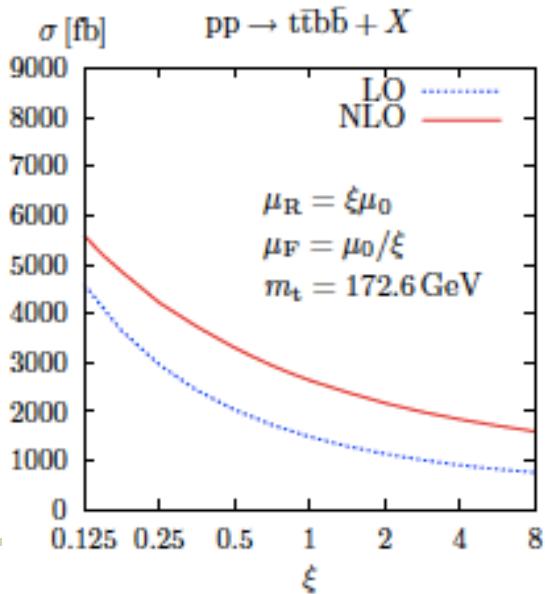
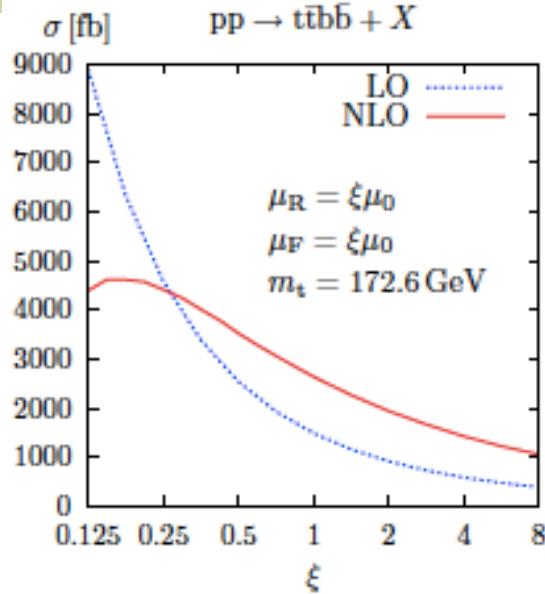


Study a generic family of factorization and renormalization scales expressed in terms of m_t and m_{bb} .

- Important bkg for ttH
- Large NLO correction
 - At the central scale, **k-factor = 1.77**
 - Mostly from gg diagrams
 - A veto on **extra jets ($p_T < 50$ GeV)** reduces the k-factor to 1.2
- Varying the scale up or down by a factor 2 changes the cross section **by 70% in LO and by 34% in NLO.**

$t\bar{t} + b\bar{b}$: scale dependence

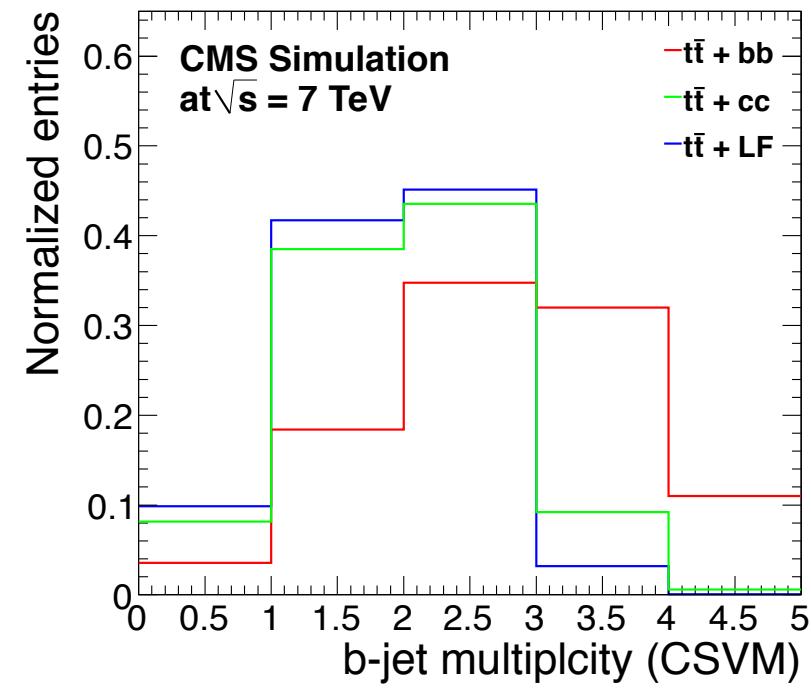
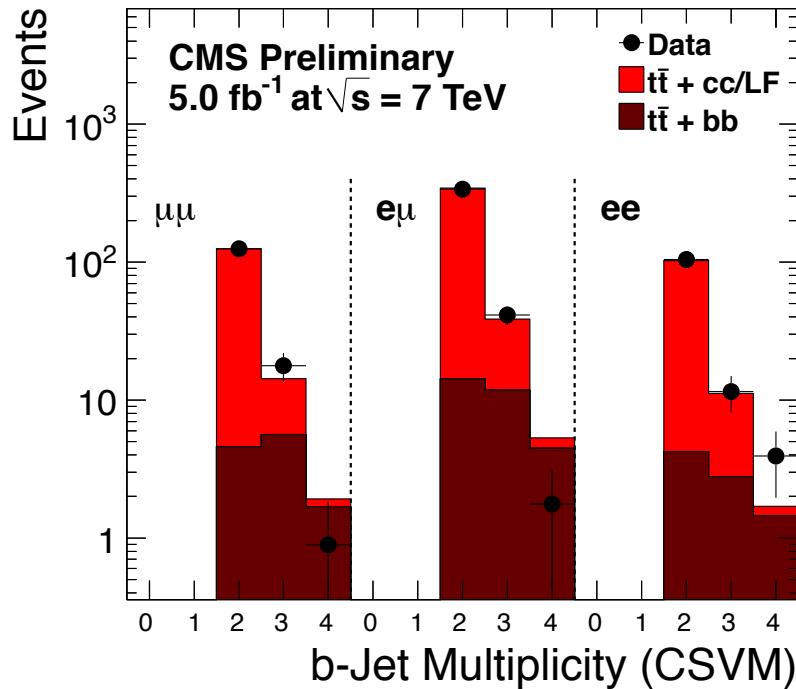
arXiv:0905.0110



What the data are telling us ?

TOP-12-024

- ttbb and ttjj modeled using the Madgraph
 - up to 4 additional partons including b quarks, jet $p_T > 30$ GeV
- Factorization and renormalization scales as on the previous slide
 - uncertainty estimated by varying μ by factors of 2 up/down



What the data are telling us ?

TOP-12-024

#1. That the default scale choice provides a good modeling of data within the uncertainties

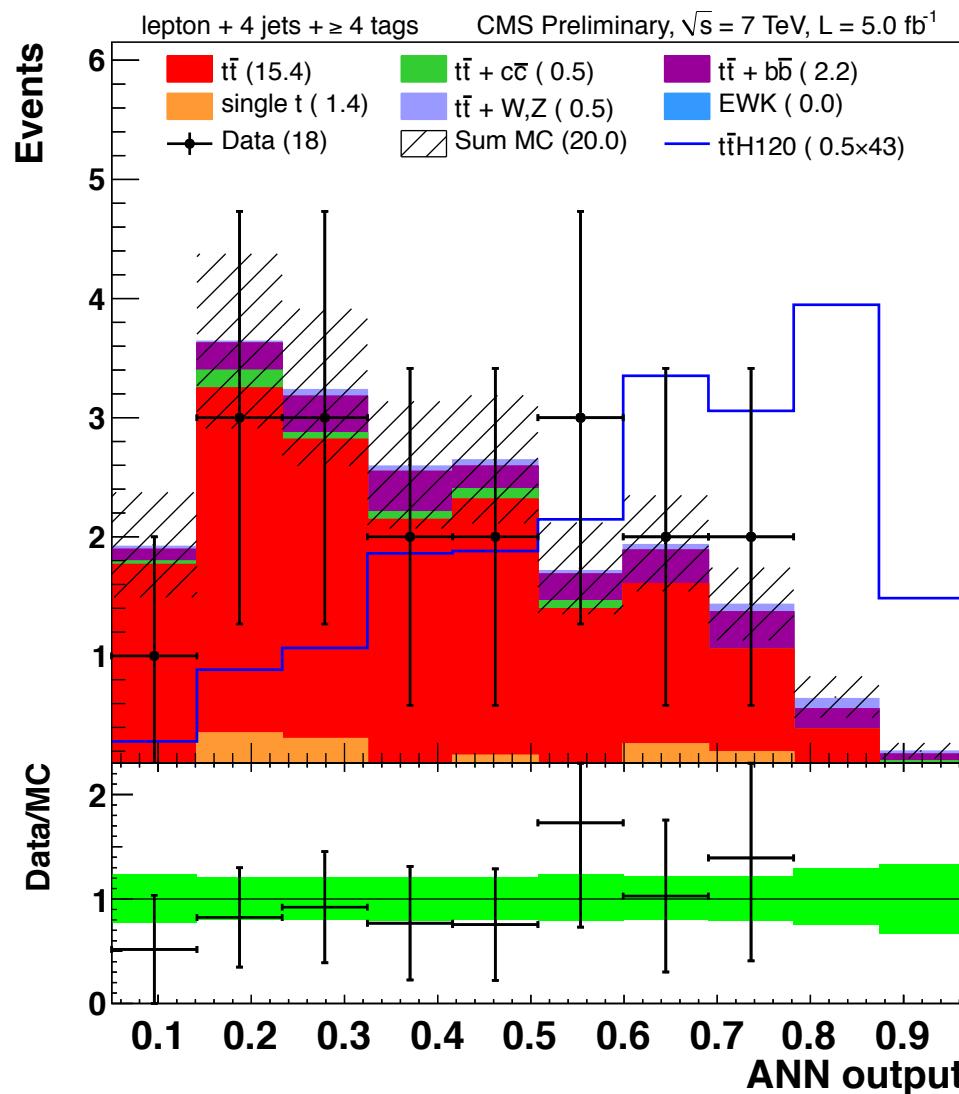
#2.

$$\sigma(t\bar{t}b\bar{b})/\sigma(t\bar{t}jj) = 3.6 \pm 1.1(\text{stat.}) \pm 0.9(\text{syst.})\%$$

Source	$\sigma(t\bar{t}b\bar{b})/\sigma(t\bar{t}jj)$ (%) (CSVM)	$\sigma(t\bar{t}b\bar{b})/\sigma(t\bar{t}jj)$ (%) (CSVT)
Pile-up	0.5	0.5
JES	3.0	2.0
<i>b</i> -tag (heavy flavor)	6.0	4.0
<i>b</i> -tag (light flavor)	+23 -19	+18 -15
MC gen.	3.0	3.0
Q^2 scale	6.0	6.0
Total uncertainty	+25 -21	+20 -17

Experimental uncertainty (flavor tagging) is much larger than the scale uncertainty. Need better experimental precision to constrain the latter.

Example of scale uncertainty in signal extraction



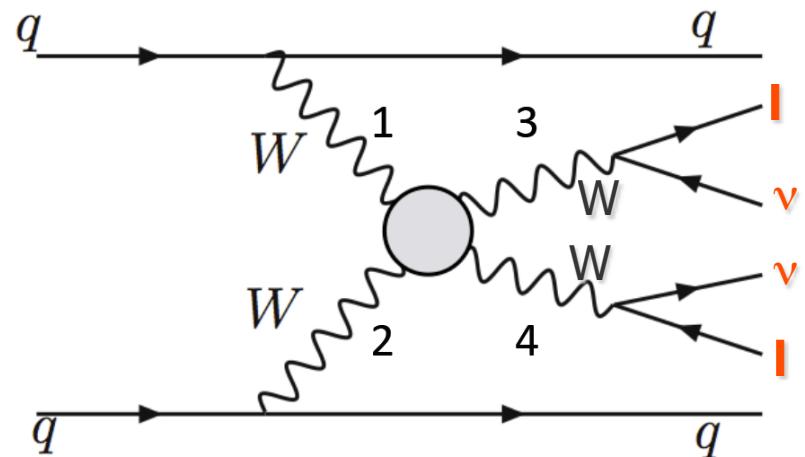
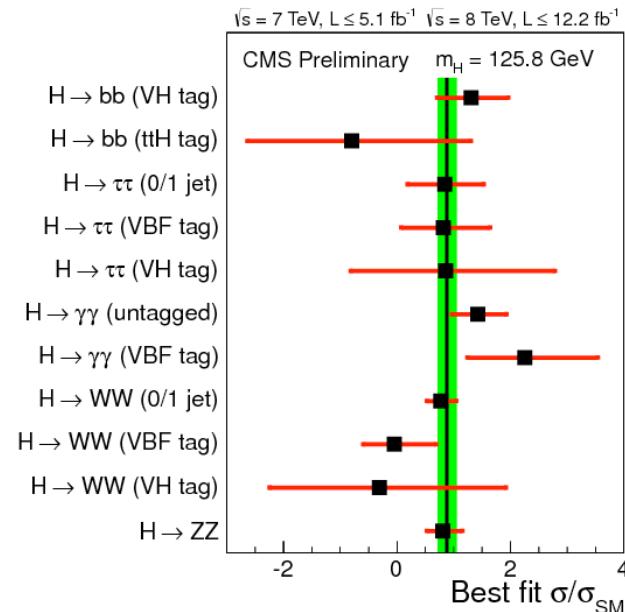
HIG-12-025

- Distribution of MVA output in events containing lepton + MET + 4 b-jets
- MC uncertainty includes scale uncertainty (μ varied up/down by a factor 2) and uncertainty from exclusive jet binning

Diboson and Higgs

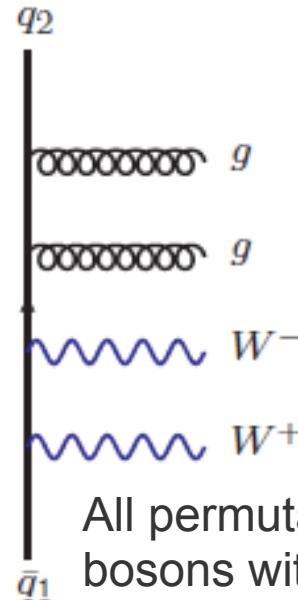
WW+jets as background to Higgs

- Higgs signal sorted into 0,1,2+ jet bins
 - allows identification of backgrounds in each bin
 - 30% of Higgs created with one jet, ~15% with ≥ 2 jets
- H ($\rightarrow WW$)jj created through **vector boson fusion (VBF)** as well as **gluon fusion (GF)**
 - VBF has characteristic forward jets
 - WW (+ jets) is irreducible background to both
- GF contamination in VBF sample is pretty high, at 10-40% level



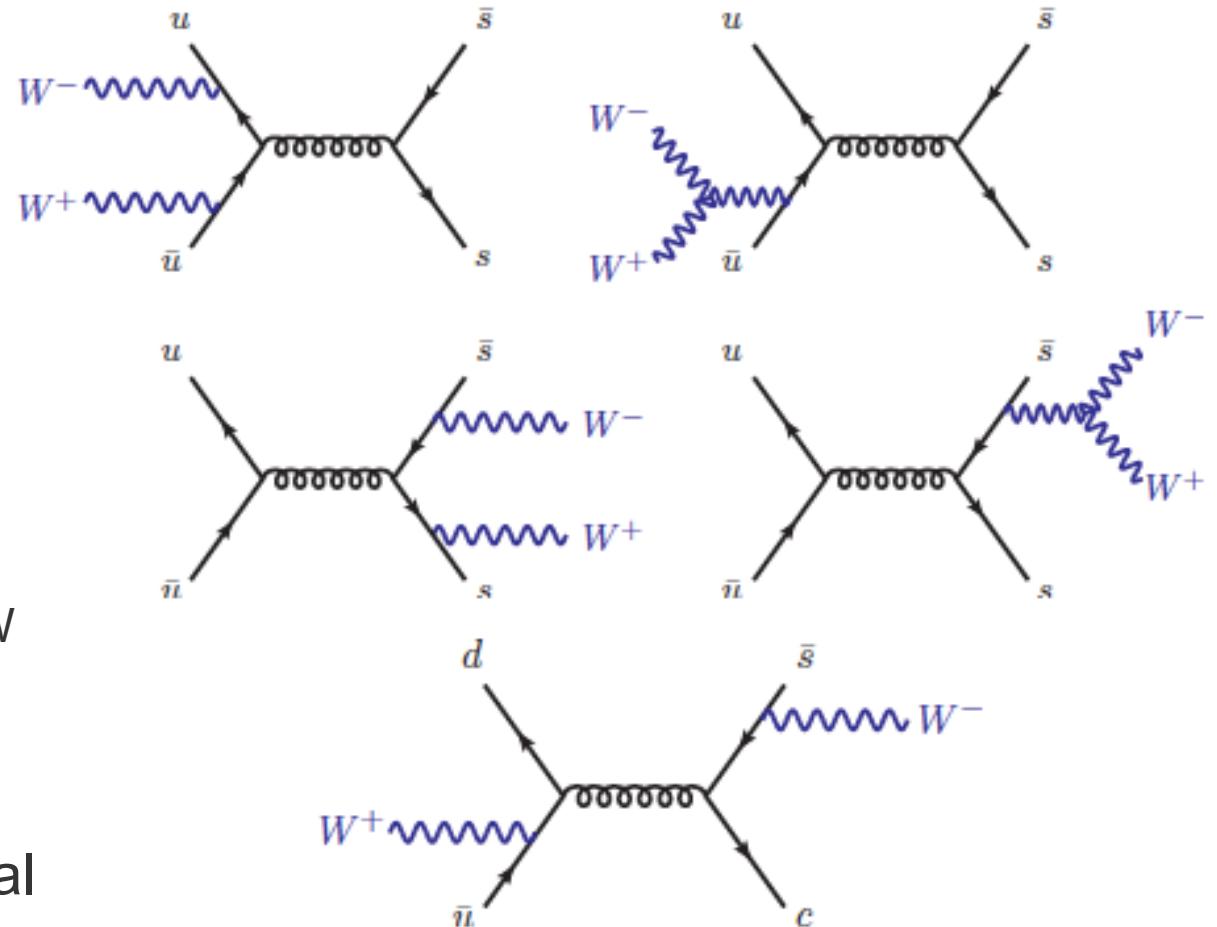
[WWjj @LO: two distinct strong production processes

Two quark, two
gluon processes:



For detail see Melia et al
arXiv:1104.2327
arXiv:1205.6987

Four quark processes:

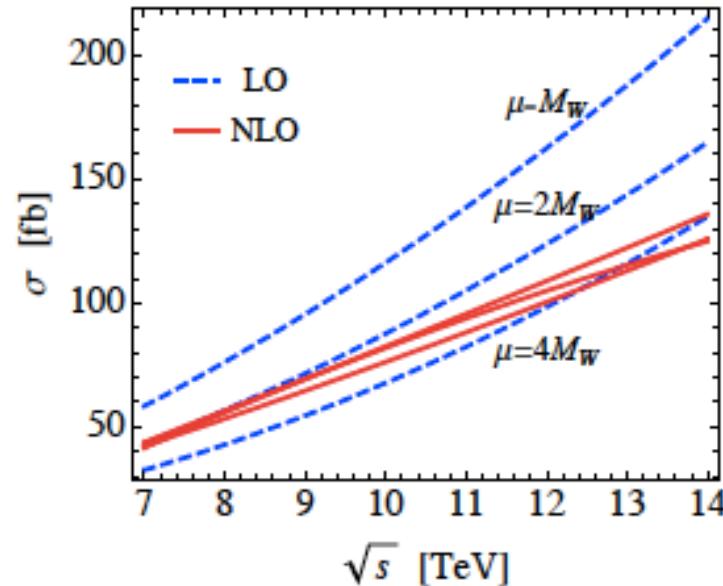
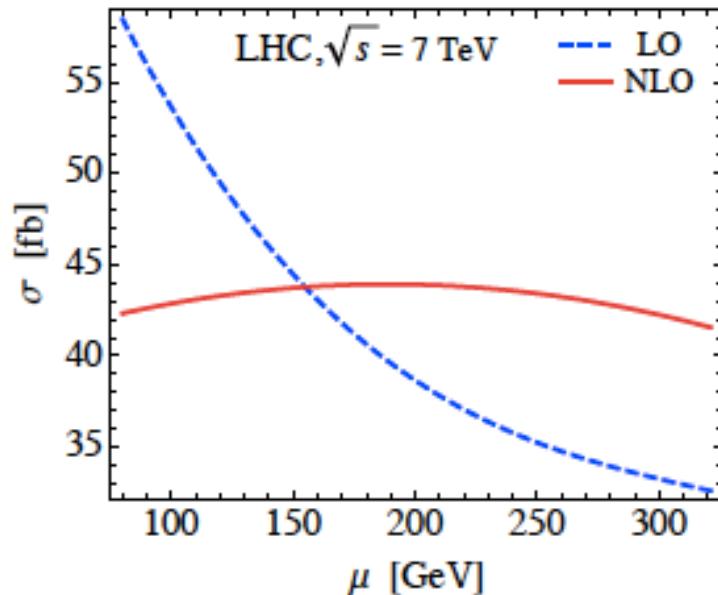


Also t-channel contributions → Complicated flavor structure

Large dependence on fact./renorm. scale

$$\mu_F = \mu_R = \mu$$

arXiv:1104.2327



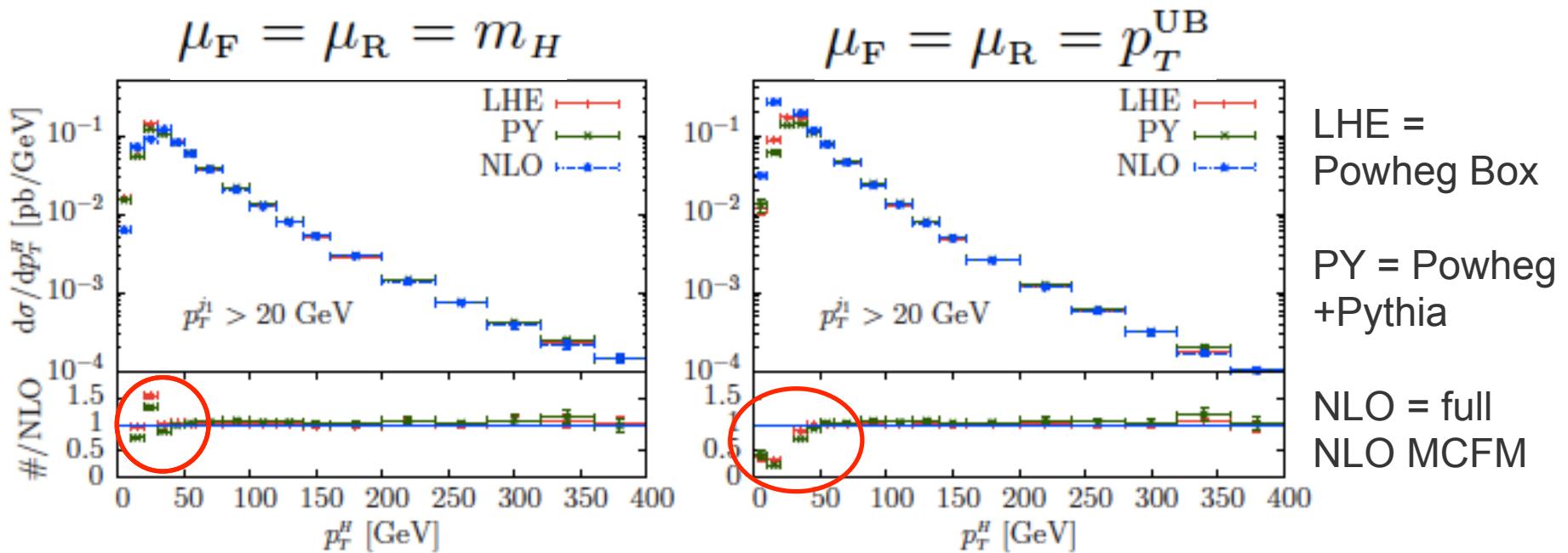
- $\sigma_{\text{LO}} = 46 \pm 13$ fb, $\sigma_{\text{NLO}} = 42 \pm 1$ fb
- “Optimal” factorization/renormalization scale: $2m_W$ at $\sqrt{s} = 7$ TeV, $4m_W$ at $\sqrt{s}=14$ TeV
- Uncertainty reduced at NLO by order of magnitude

Scale dependence in $gg \rightarrow H + jj$ production

An irreducible background for VBF Higgs

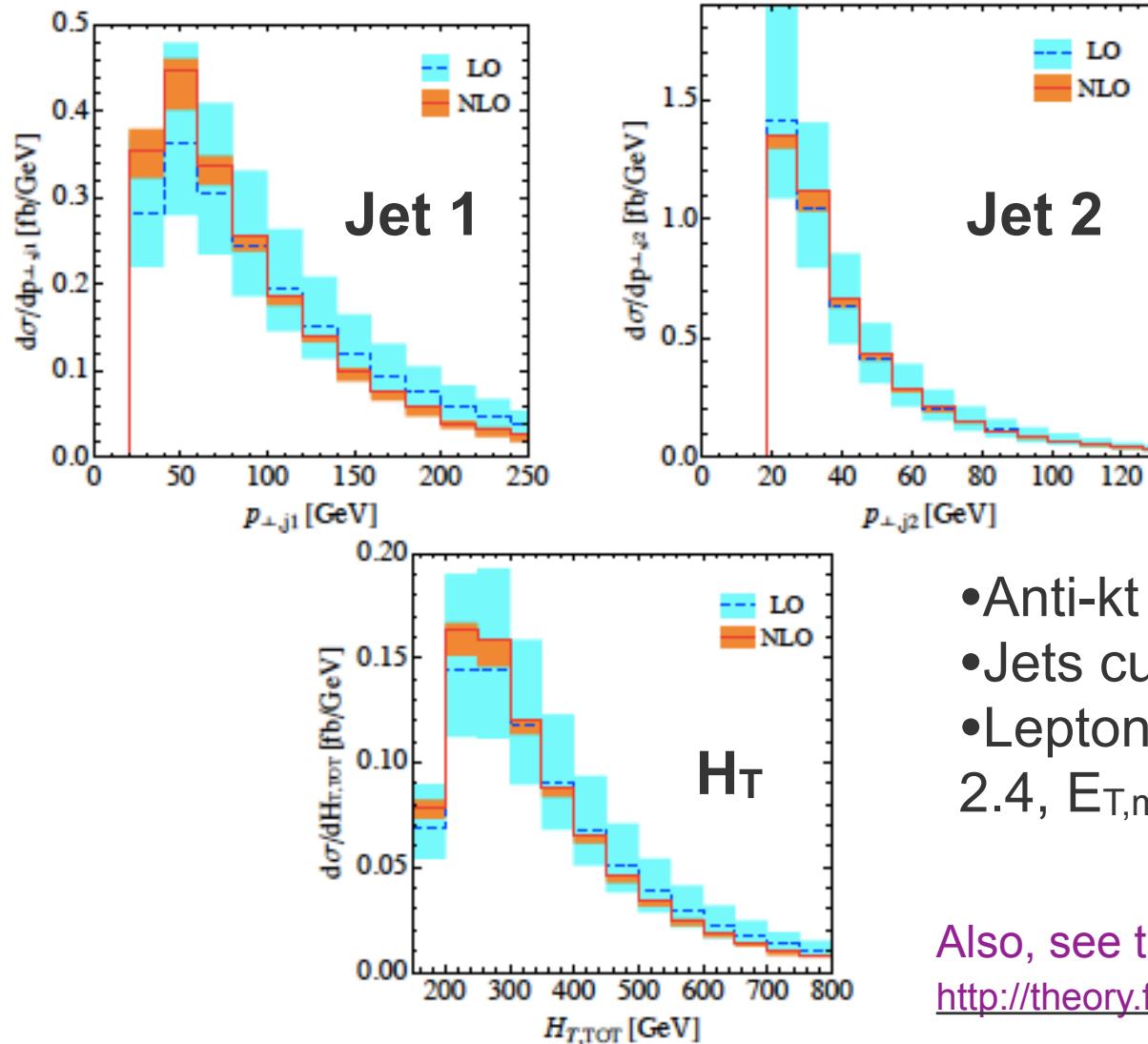
arXiv:1202.5475

(Campbell, Ellis et al)



Scale dependence significant only for low $p_T H$

Large LO-NLO difference in shape



arXiv:1104.2327

NLO greatly reduces
the scale uncertainty

Event selection

- Anti-kt 0.4 jets
- Jets cuts: $p_T > 30 \text{ GeV}$, $|\eta| < 3.2$
- Lepton cuts: $p_T > 20 \text{ GeV}$, $|\eta| < 2.4$, $E_{T,\text{miss}} > 30 \text{ GeV}$

Also, see talk by Raoul Röntsch at FNAL
<http://theory.fnal.gov/seminars/seminars2013.html>

What the are data telling us: WWjj yield

HIG-12-042

Both W's decay leptonically

17 /fb

m_H	$H \rightarrow W^+W^-$	$pp \rightarrow W^+W^-$	$WZ + ZZ$ $+ Z/\gamma^* \rightarrow \ell^+\ell^-$	Top	W + jets	$W\gamma^{(*)}$	all bkg.	data
2-jet category $e\mu$ final state								
120	1.7 ± 0.2	0.8 ± 0.5	0.1 ± 0.0	0.9 ± 0.3	0.3 ± 0.2	0.1 ± 0.1	2.2 ± 0.6	2
125	2.8 ± 0.4	0.9 ± 0.5	0.1 ± 0.0	1.5 ± 0.5	0.3 ± 0.2	0.1 ± 0.1	2.9 ± 0.8	2
130	4.4 ± 0.6	1.3 ± 0.7	0.1 ± 0.0	1.6 ± 0.5	0.3 ± 0.2	0.1 ± 0.1	3.4 ± 0.9	4
160	11.7 ± 1.5	1.2 ± 0.6	0.0 ± 0.0	1.5 ± 0.5	0.0 ± 0.0	0.1 ± 0.1	2.9 ± 0.8	4
200	9.3 ± 1.2	2.5 ± 1.2	1.7 ± 1.6	4.6 ± 1.3	0.3 ± 0.4	0.0 ± 0.0	9.1 ± 2.4	8
400	3.9 ± 0.5	3.5 ± 2.2	1.7 ± 1.6	4.6 ± 1.3	0.0 ± 0.0	0.0 ± 0.0	9.8 ± 3.0	7
600	1.4 ± 0.2	1.6 ± 1.0	0.0 ± 0.0	1.9 ± 0.8	0.3 ± 0.2	0.0 ± 0.0	3.7 ± 1.3	3
2-jet category $ee/\mu\mu$ final state								
120	1.0 ± 0.1	0.5 ± 0.3	3.2 ± 1.5	0.7 ± 0.2	0.8 ± 0.5	0.1 ± 0.1	5.2 ± 1.7	9
125	1.5 ± 0.2	0.5 ± 0.3	4.4 ± 1.3	0.7 ± 0.2	0.8 ± 0.5	0.1 ± 0.1	6.5 ± 1.5	11
130	2.3 ± 0.3	0.5 ± 0.3	4.8 ± 1.6	0.8 ± 0.2	0.8 ± 0.5	0.1 ± 0.1	7.0 ± 1.7	11
160	7.4 ± 1.0	0.5 ± 0.3	3.8 ± 3.8	0.9 ± 0.3	0.1 ± 0.1	0.0 ± 0.0	5.2 ± 3.8	5
200	4.9 ± 0.6	1.5 ± 0.7	4.4 ± 3.0	2.0 ± 0.5	0.5 ± 0.4	0.0 ± 0.0	8.3 ± 3.2	9
400	2.7 ± 0.4	1.4 ± 0.9	0.1 ± 0.0	3.6 ± 1.1	0.2 ± 0.4	0.0 ± 0.0	5.3 ± 1.4	8
600	1.1 ± 0.1	0.5 ± 0.4	0.0 ± 0.0	1.4 ± 0.6	0.1 ± 0.1	0.0 ± 0.0	2.0 ± 0.7	2

Require $\Delta\eta(j,j) > 3.5$, $m(j,j) > 500$ GeV, $pT(j) > 30$ GeV

... Well, not much beyond a rough agreement. Need more data !!!

Extra jet veto systematics: an important example

$\sqrt{s} = 8 \text{ TeV}$, $L = 3.5 \text{ fb}^{-1}$

Channel	$2\ell' 2\nu$
$W^+ W^-$	684 ± 50
$t\bar{t}$ and tW	132 ± 23
$W + \text{jets}$	60 ± 22
WZ and ZZ	27 ± 3
$Z/\gamma^* + \text{jets}$	43 ± 12
$W\gamma^{(*)}$	14 ± 5
Total background	275 ± 35
Signal + background	959 ± 60
Data	1111

arXiv:1301.4698

$WW \rightarrow 2l2v$ cross section at 8 TeV (CMS)

Signal extracted in 0-jet bin. Cross section extrapolated to full phase space.

$\sigma = 69.9 \pm 2.8 \text{ (stat)} \pm 5.6 \text{ (sys)} \pm 3.1 \text{ (lum)} \text{ pb}$

NLO prediction (MCFM): $57.3 \pm 2.4 \text{ pb}$

1.8 σ above NLO prediction

Could be a conspiracy of syst bias & upward fluctuation, but has generated some buzz ...

Main systematics:

Jet veto (+PDF) 4.6%

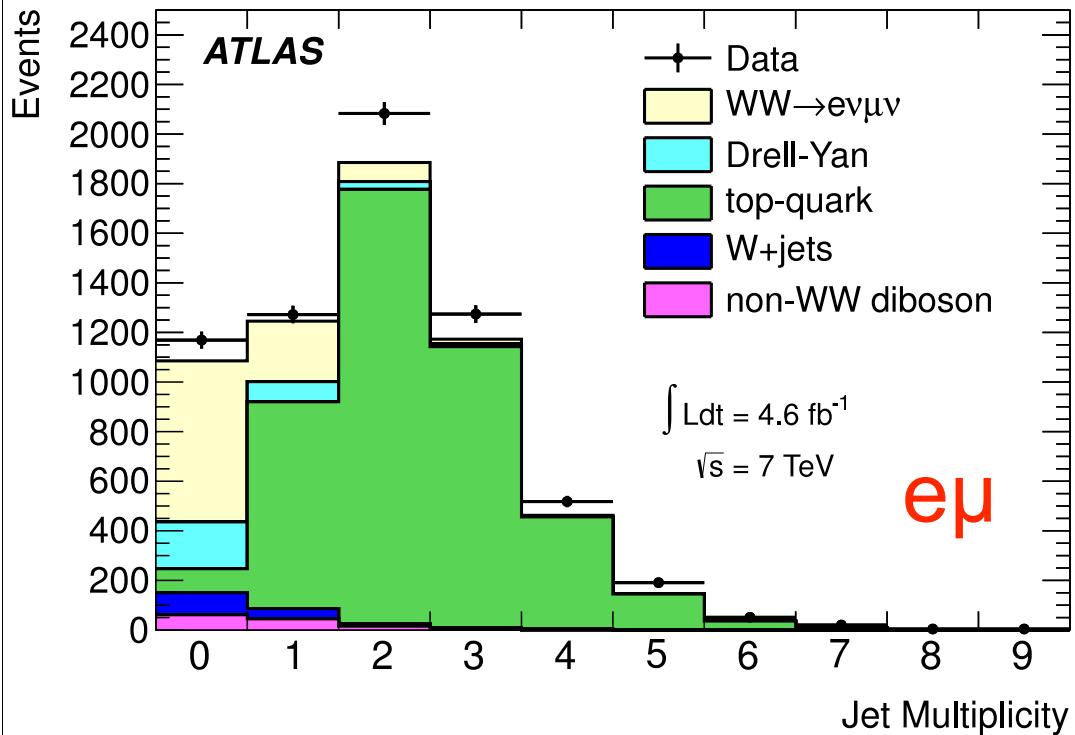
Luminosity 4.4%

Charginos Hiding In Plain Sight

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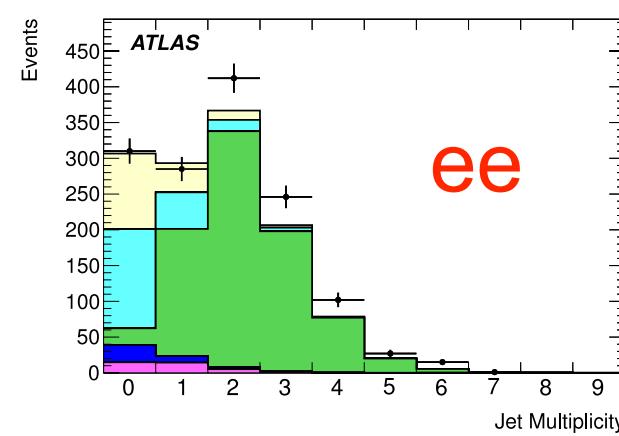
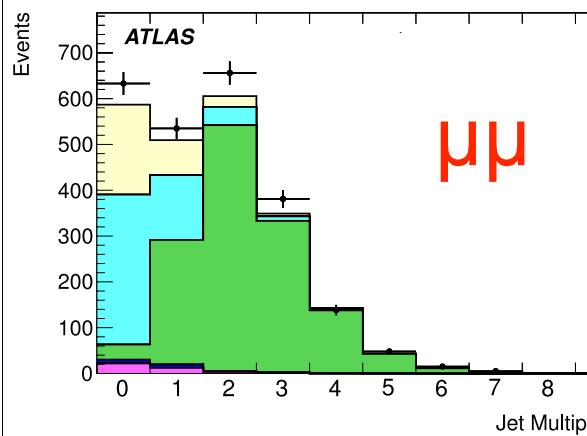
arXiv:1206.6888v2

Extra jet veto efficiency

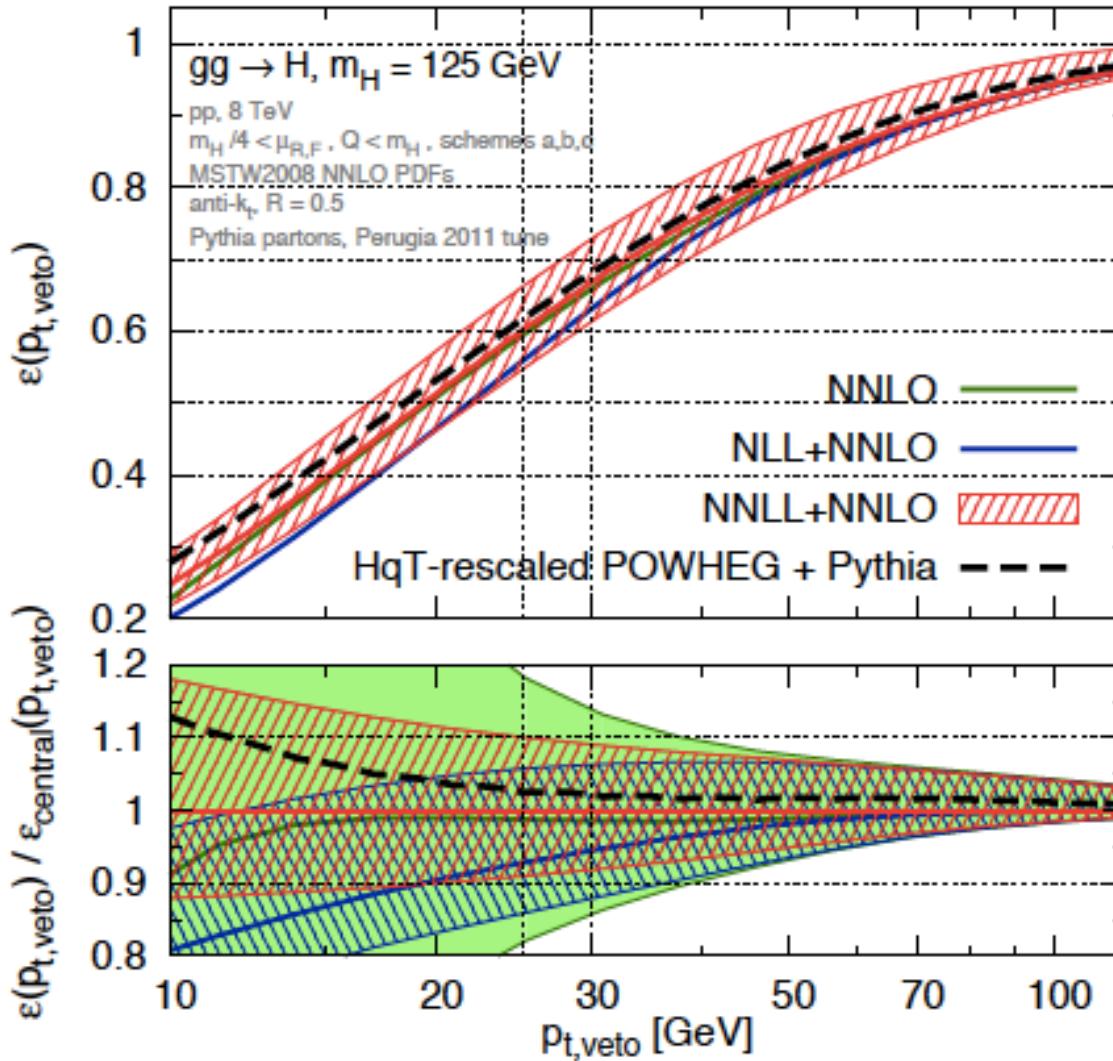


arXiv:1210.2979

- Experimentally jet veto necessary given the S/B
 - But currently cause large syst uncertainty
- In case of WW production, signal acceptance is small in 2-jet bin and tiny in ≥ 2 jet bin
 - But tt+jets is overwhelming



Extra jet veto efficiency: NNLO resummation



arXiv:1206.4998

(Banfi, Monni, Salam, Zanderighi)

<http://jetvheto.hepforge.org/>

- Experimentally jet veto necessary given the S/B
 - But currently cause large syst uncertainty
- NNLL resummation reduces jet-veto efficiency by ~30%
- New proposal for 0,1-jet correlation matrix (efficiency & σ_{tot} uncorr.)

Also, see talk by Matthias Neubert at SUSY 2012

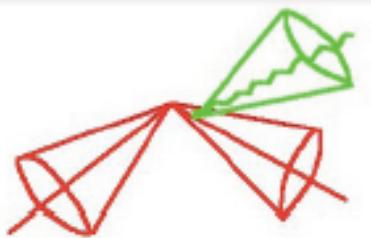
Summary

- ✓ Study scale dependence in several abundant SM processes
 - In the framework of MG/Alp/Sherpa/MC@NLO + PS
 - Scale & threshold variations have significant effect on kinematic distributions for high N_{jets} and tails
 - Data are providing important constraints in some cases
- ✓ WW+jets and H+jj show large dependence on the choice of factorization/renormalization scale
 - Not enough data to constrain in a meaningful way
- ✓ Jet veto efficiency a significant syst in many measurements
 - Theoretical tools becoming available to reduce it
 - Also exploring data control samples to control this systematics

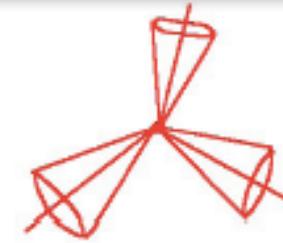
BACKUP SLIDES

Introduction: matrix element + parton shower

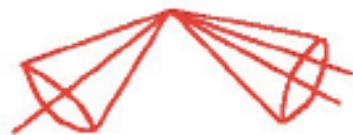
Example: $X + 3$ partons vs $X + 2$ partons



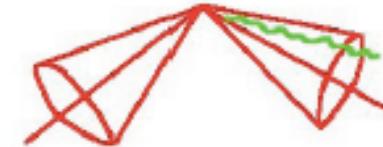
2 partons + 1 hard radiation



3 partons + no hard radiation



3 partons (2 collinear)



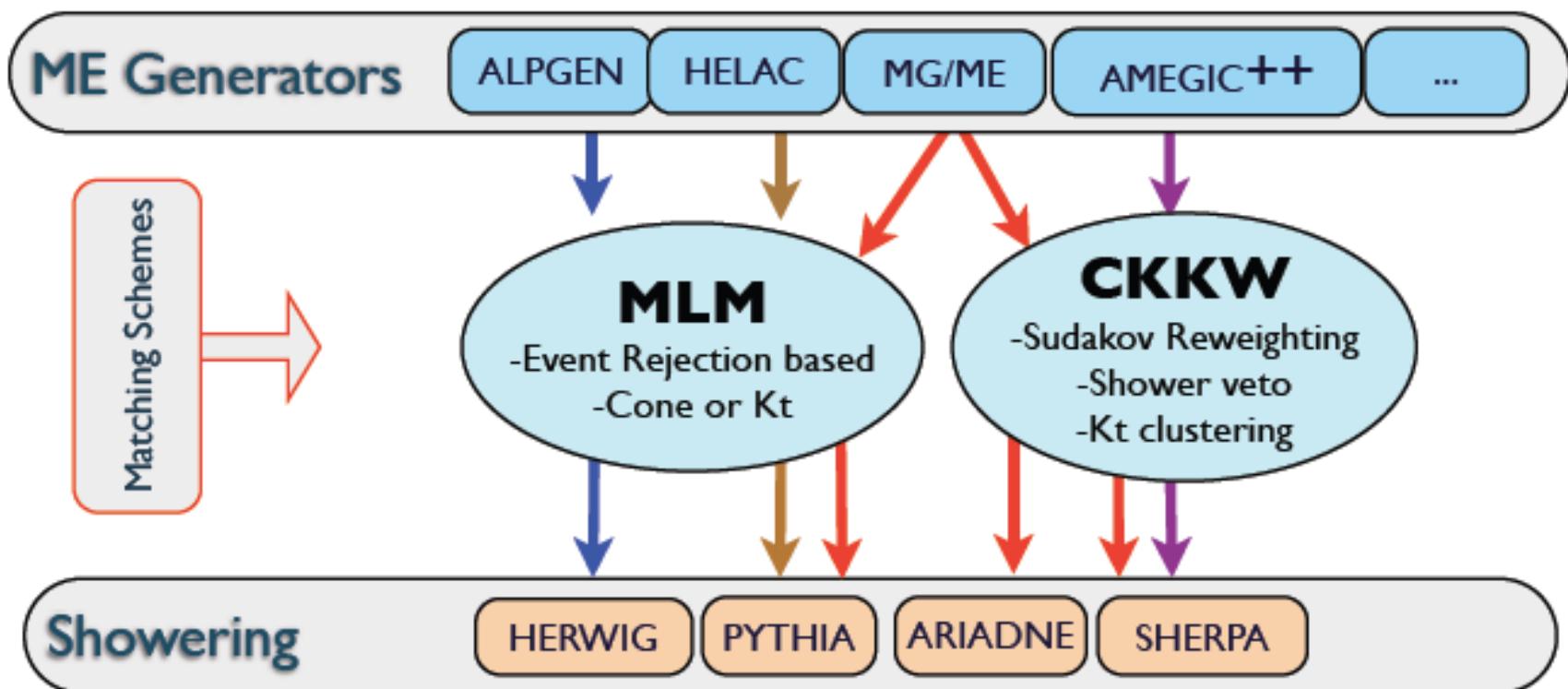
2 partons + no hard radiation

ME and PS overlap

⇒ If you add all multiplicities: wrong cross-section.

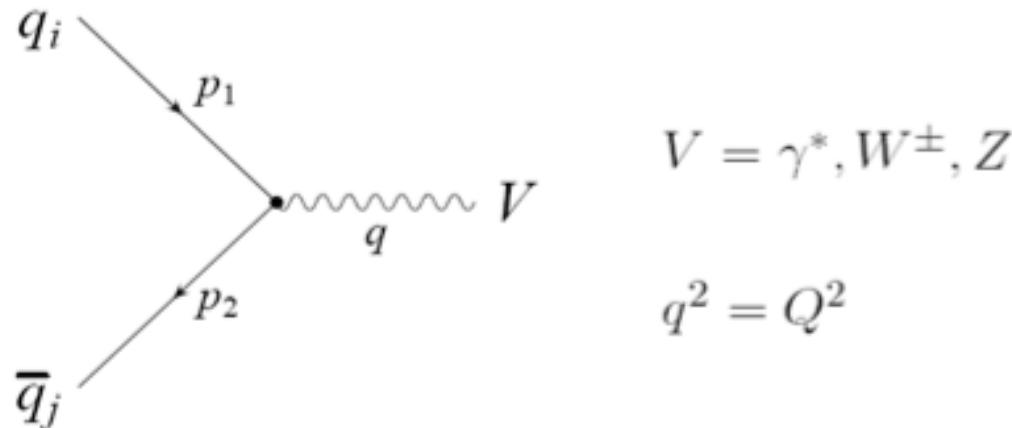
What is available on the market?

<https://cp3.irmp.ucl.ac.be/projects/madgraph/attachment/wiki/MGTalks/>



Introducing the problem

But let's start with something simple:
vector boson production at Leading Order

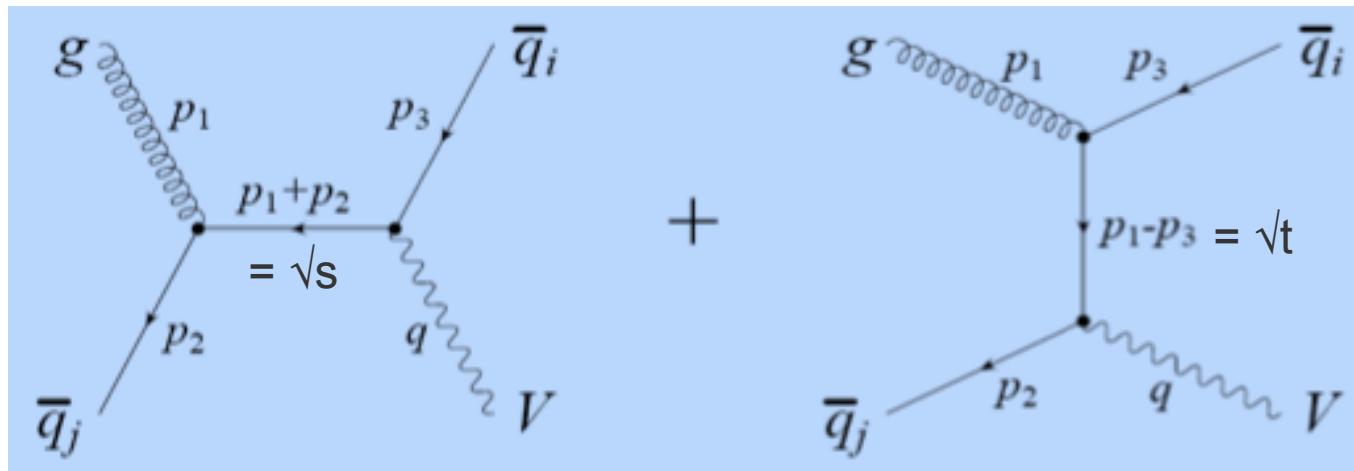


$$\sigma_{q\bar{q}}^{(0)} = \frac{4\pi^2\alpha}{3S} \sum_{i,j} C_{ij} \int_{z_0}^1 dz (q_{0i} \otimes \bar{q}_{0j} + \bar{q}_{0j} \otimes q_{0i}) \left(\frac{z_0}{z}\right) \delta(1-z)$$

where \sqrt{S} is the hadronic cm energy, $z_0 = Q^2/S$, and C_{ij} specifies EW couplings.

Factorization scale

W/Z + jets production at LHC at LO from qg initial state



Collinear singularity due to gluon splitting at $(p_1 - p_3)^2 = 0$

$$\sigma_{g\bar{q}}^{(1)} = \frac{\pi \alpha \alpha_s}{3S} \sum_{i,j} C_{ij} \int_{Q^2}^S \frac{ds}{s^2} (g \otimes \bar{q}_j + \bar{q}_j \otimes g) \left(\frac{s}{S} \right)$$

$$\times \int_{-\infty}^0 dt \int_{-\infty}^0 du \delta(s+t+u-Q^2) \left[\frac{s}{-t} + \frac{-t}{s} - \frac{2uQ^2}{st} \right]$$

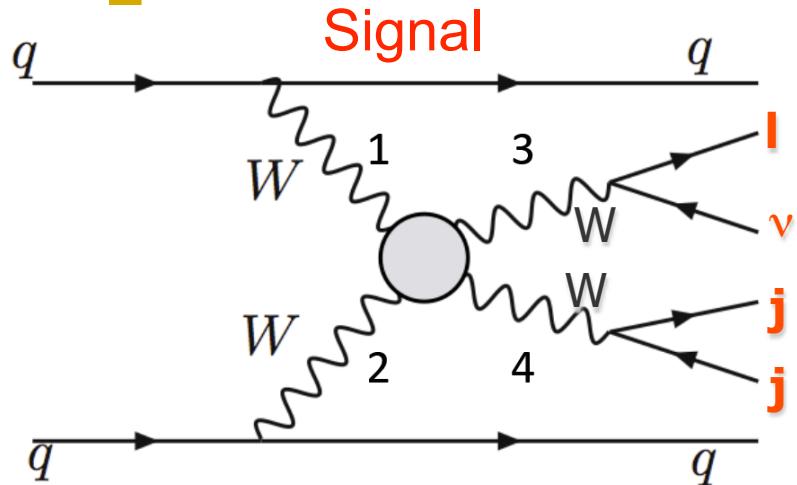
$d\sigma_{g\bar{q}}^{(1)}/dt \sim 1/t$ as $t \rightarrow 0$: a collinear divergence

Solution: integrate the leading behavior $1/t$ from 0 to $-\mu^2$.

Why it matters?

- The hadronic cross section σ , calculated to all orders in perturbative QCD, is independent of μ
 - BUT fixed-order results depend on μ
- This dependence is often significant at LO and NLO, and is reduced at higher orders
- When higher-order calculations are not available, we are left with a theoretical prediction that depends strongly on μ
 - true for most dominant processes at the LHC: multi-jet, $\gamma/W/Z + \text{jets}$, $t\bar{t}$, ...
 - large error on μ , sometimes many ambiguous choices
- Causes significant uncertainty in background estimation for signal events of interest, new physics searches

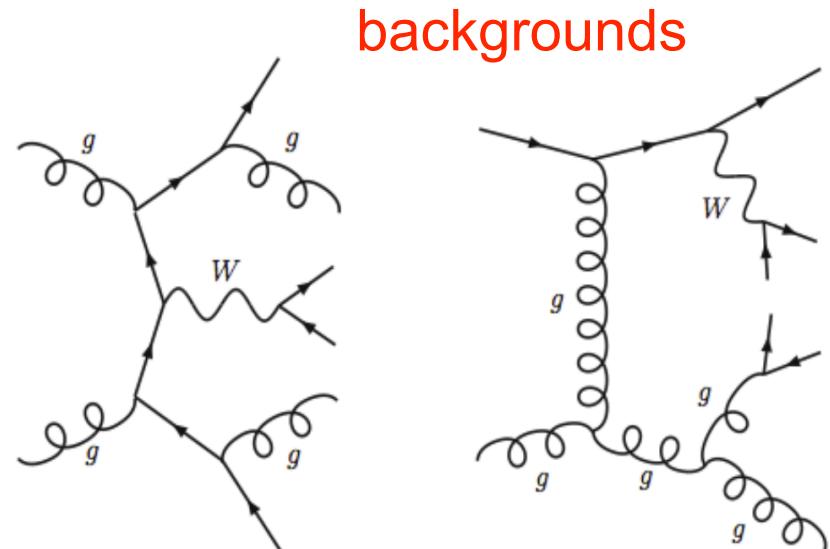
Semileptonic: also have to deal with W+4j & ttbar



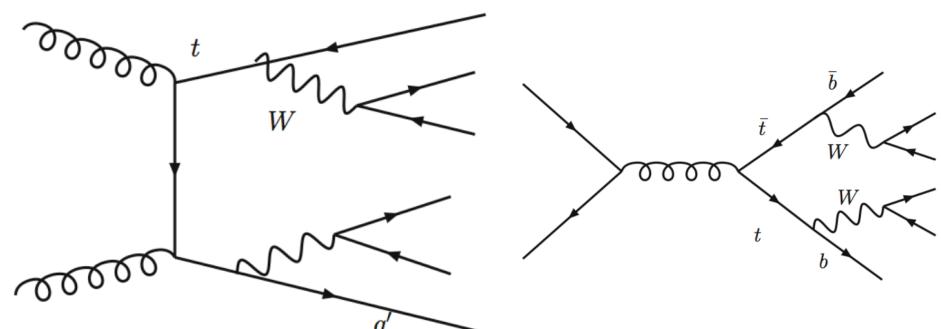
WW+2tag jets: ~ 0.1 pb (for semileptonic WW)

- $\Delta\eta$ between tag jets > 4
- Invariant mass > 600 GeV

This is weird corner of phase space for both backgrounds.
Need good modeling of angular distributions, jet veto.



W+2jets+2tag jets: ~ 10 pb



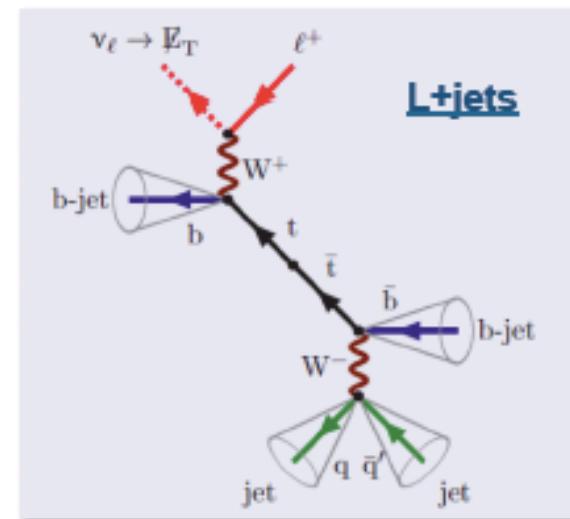
$t\bar{t}$ with 2 tag jets: ~ 10 pb

TTbar event selection

Lepton+jets:

- Exactly 1 isolated high- p_T lepton (μ or e)
 - $\mu, e: p_T > 30 \text{ GeV}, |\eta| < 2.1$ (also $|\eta| < 2.5$ for e)
- Veto additional leptons
- Analysis-dependent jet selection (≥ 3 jets, $p_T > 30 \text{ GeV}, |\eta| < 2.4$)
- ≥ 2 b-tagged jets

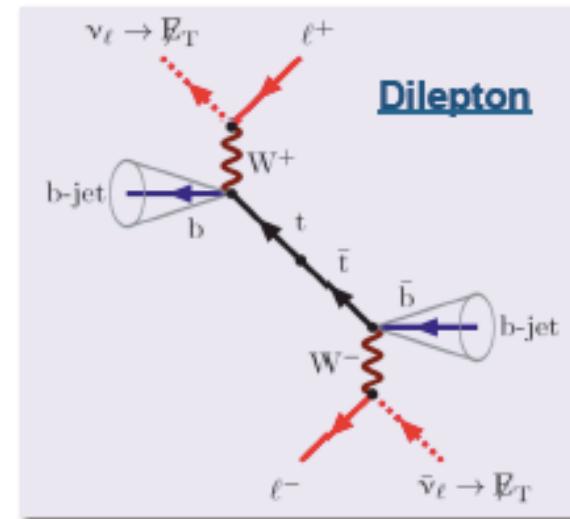
(Kinematic reconstruction of the ttbar system)



Dileptons:

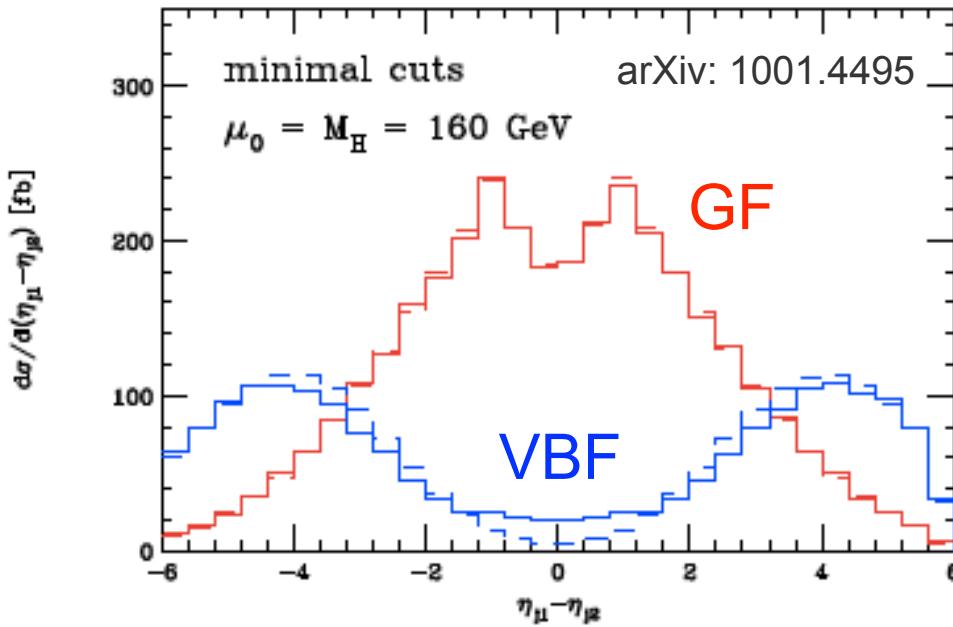
- 2 opp.-sign, high- p_T isolated leptons ($ee, \mu\mu, \mu e$)
 - $\mu, e: p_T > 20 \text{ GeV}, |\eta| < 2.4$
- QCD veto: $m_{ll} < 12 \text{ GeV}$
- ≥ 2 jets, $p_T > 30 \text{ GeV}, |\eta| < 2.4$
- ≥ 1 b-tagged jets
- $ee, \mu\mu$ channels: $E_T^{\text{miss}} > 30 \text{ GeV}, |m_{ll} - m_Z| > 15 \text{ GeV}$

Kinematic reconstruction of the ttbar system

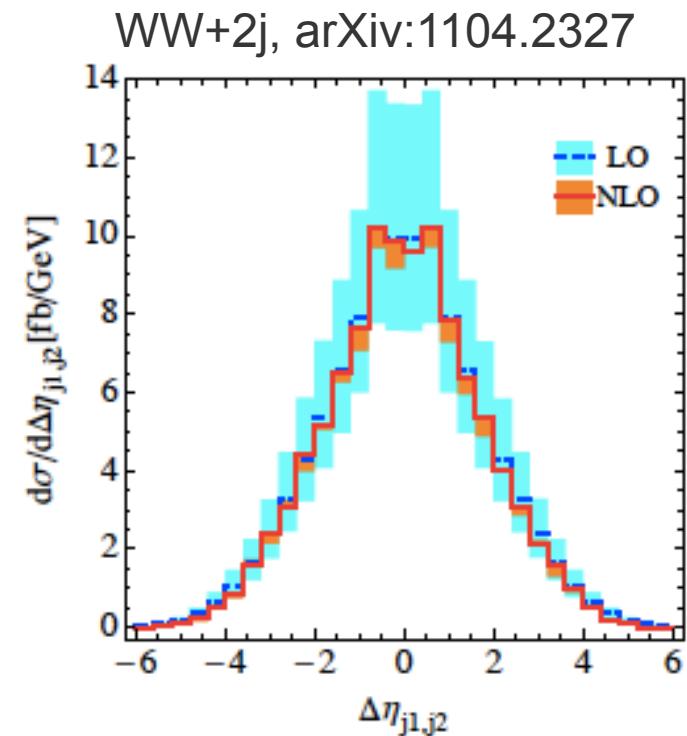


Today's signal is tomorrow's background !

Most separation between VBF and GF comes from $\Delta\eta$ (j_1, j_2).



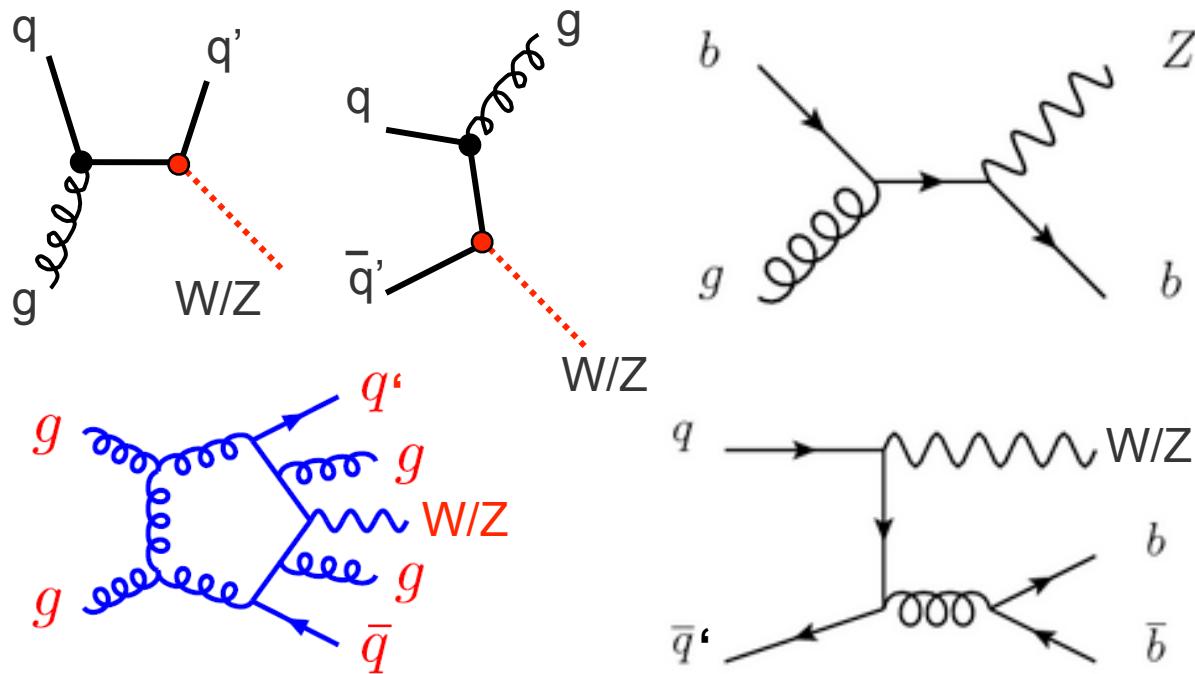
→ Typical analysis uses $\Delta\eta > 4$



- The same cut also goes a long way in suppressing WW+jj background.
- NLO shape for WW+jj needed to keep signal acceptance syst under control

Quark and gluon radiation in W/Z events

 a ubiquitous source of background for virtually any signal at the LHC



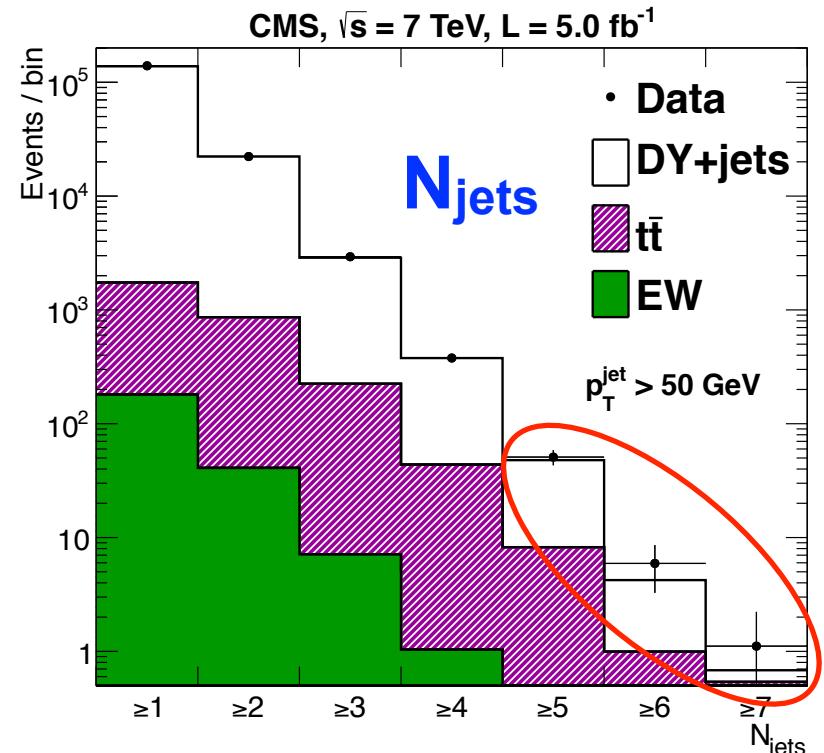
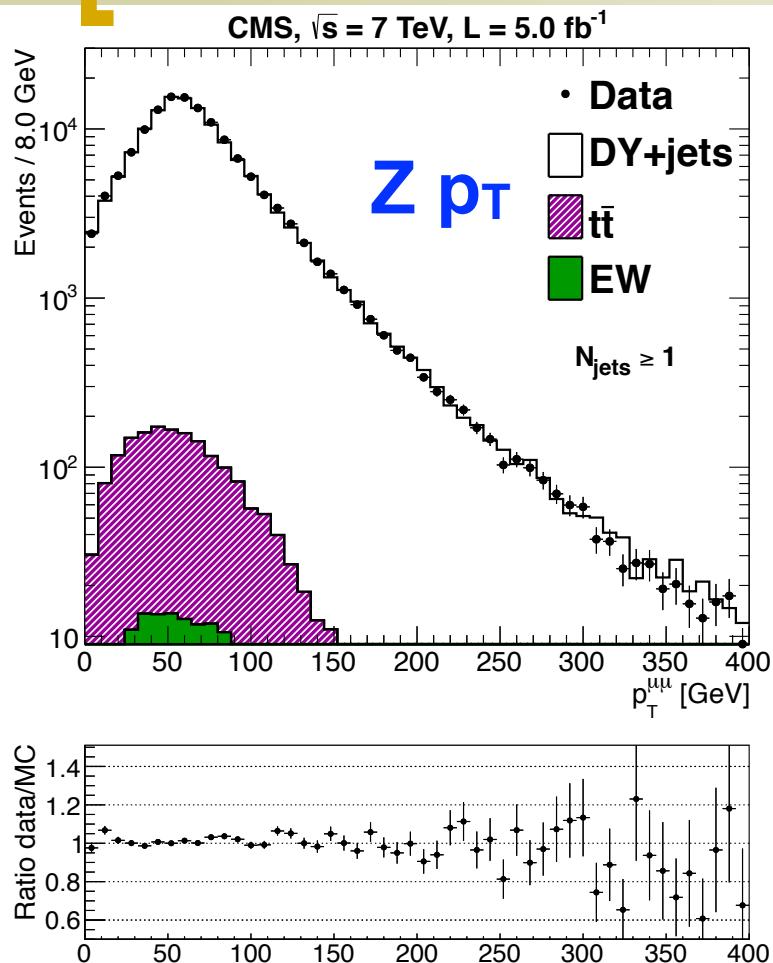
Availability of large datasets allows for constraining the unknown parameters in fixed order ME +PS computation

[Default generator settings for W/Z+jets

	ATLAS	CMS
ME	ALPGEN 2.13	Madgraph-5 1.3.30
PS	Pythia 6.4.21	Pythia 6.4.22
Matching threshold	20 GeV (MLM)	20 GeV (MLM)
UE tune	AUET1/2	Z2
Default PDF	CTEQ6L1	CTEQ6L1
Fact./Renorm. scale	$m_V^2 + \sum_{\text{partons}} (p_T^2)$	$\sqrt{[m_V^2 + p_{T,V}^2]} \text{ dynamic}$

Differential distribution in N_{jets}

arXiv:1301.1646

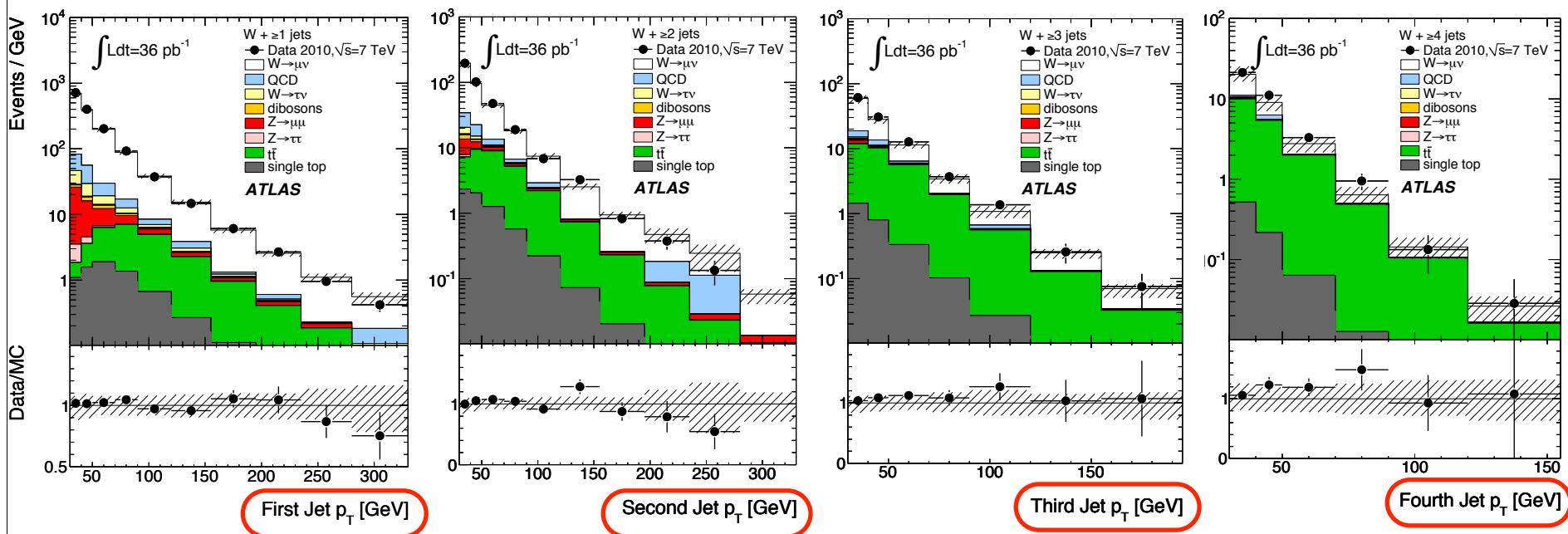


Discrepancies in the tails

Differential distributions for each N_{jets}

arXiv:1201.1276

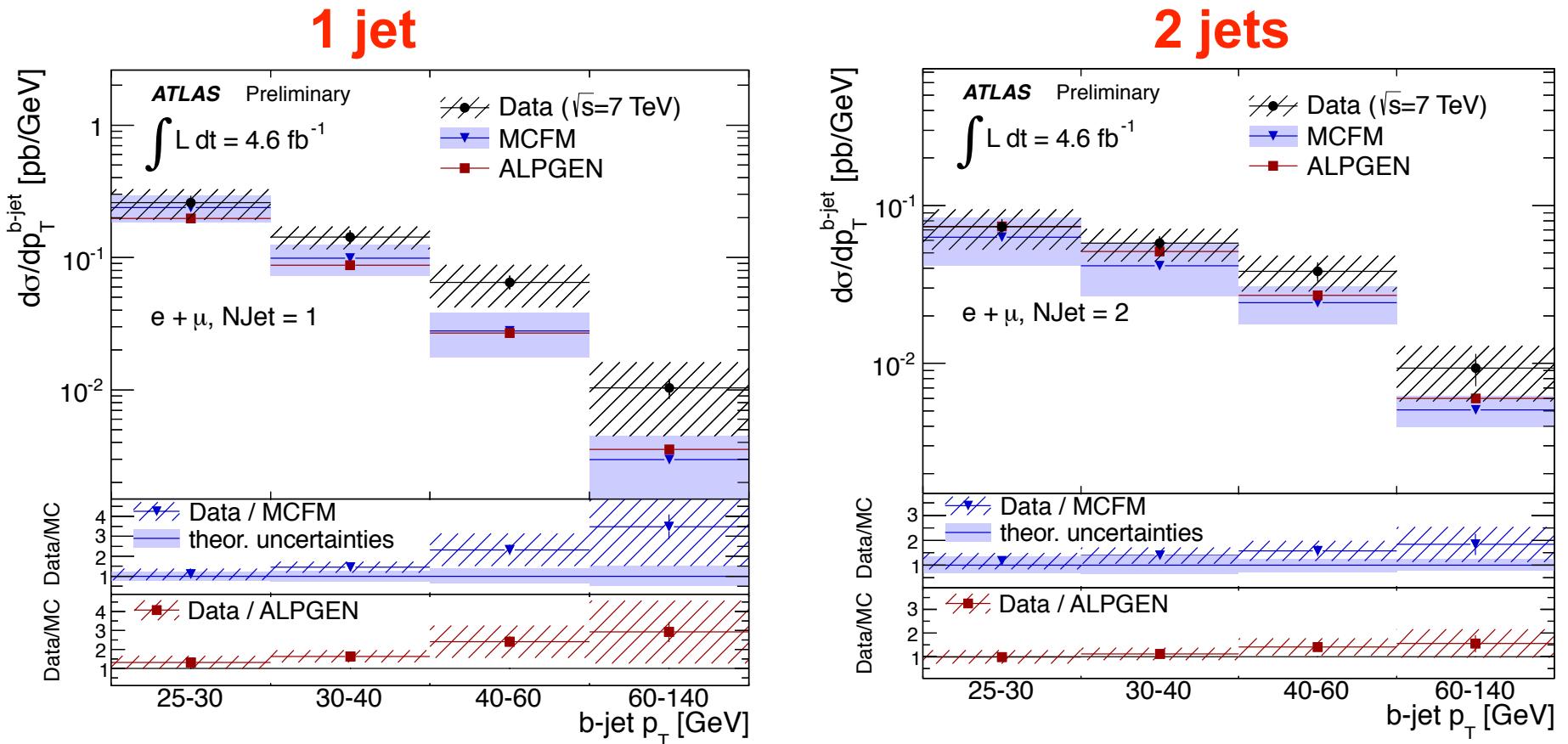
p_T distributions of the leading four jets in $W+\text{jets}$ events



These distributions are very useful in comparing with the predictions of pQCD. E.g., We already see small discrepancies in the tails even in 2010 data.

W+b-jets production

<https://atlas.web.cern.ch/Atlas/GROUPS/PHYSICS/CONFNOTES/ATLAS-CONF-2012-156/>

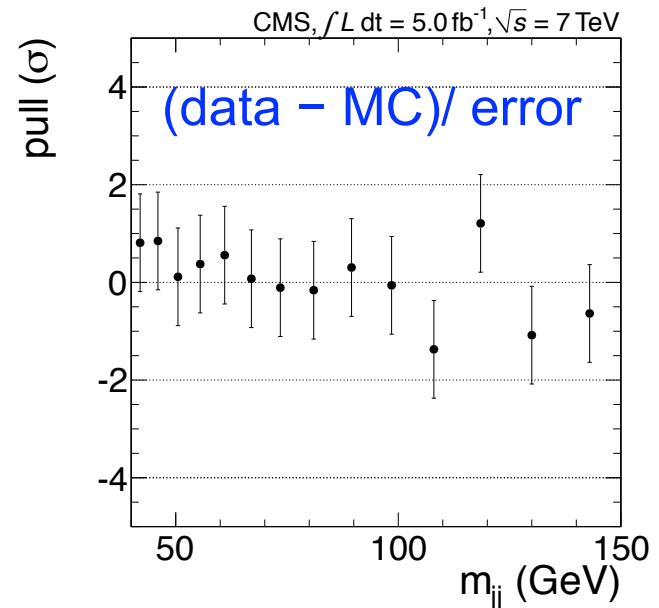
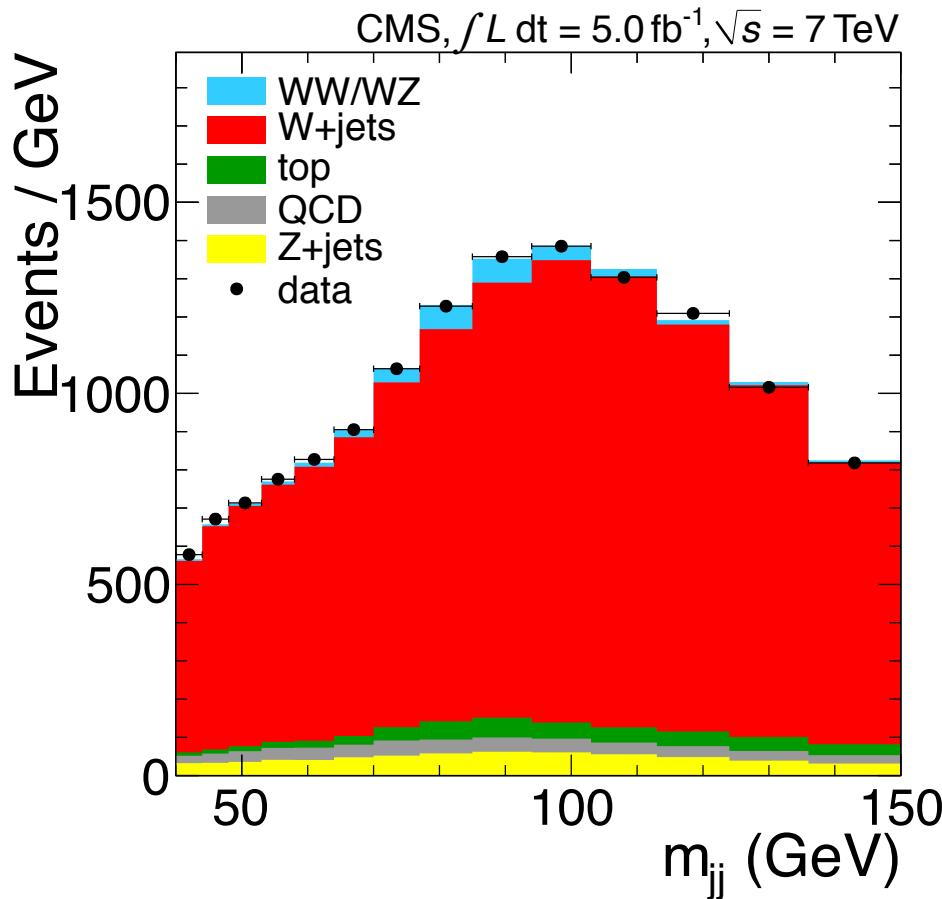


Do data prefer a different scale than used in simulation ?

Factorization/ renormalization scale in W+2-jet

arXiv:1210.7544

Dijet mass in W+2-jet events

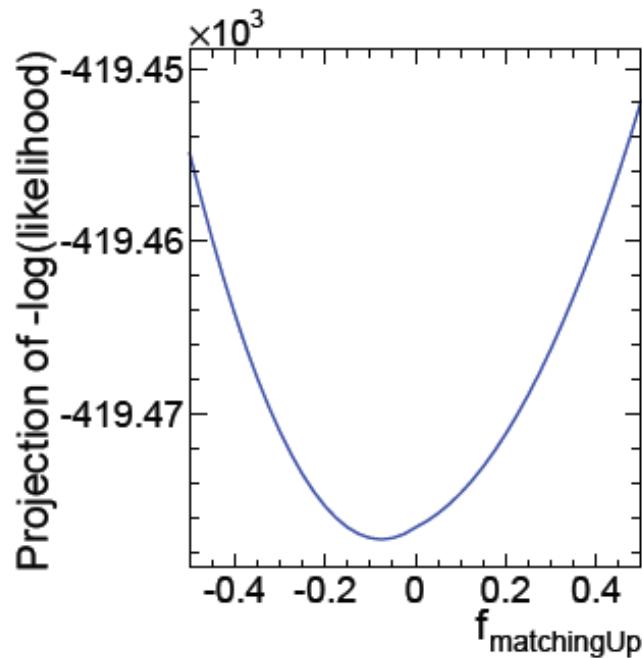


Had to vary factorization/
renormalization scale and ME-
PS matching threshold to be
able to model data satisfactorily

Factorization/ renormalization scale in W+2-jet

Needed to float factorization/renormalization scale & ME-PS matching threshold to get good modeling of data

$$\mathcal{F}_{W+jets} = \alpha \mathcal{F}_{W+jets}(\mu_0^2, q'^2) + \beta \cdot \mathcal{F}_{W+jets}(\mu'^2, q_0^2) + (1 - \alpha - \beta) \cdot \mathcal{F}_{W+jets}(\mu_0^2, q_0^2),$$



- α (scale \uparrow or \downarrow) and β (matching \uparrow or \downarrow) consistent between e/ μ data
- Data prefer smaller value for ME-PS matching threshold than 20 GeV